

# A full operational semantics for Asynchronous Relational Nets

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# Intro (The Motivation)

**The general context:** Service-Oriented Computing

- \* In **Service-Oriented Computing (SOC)**, the structure of software systems is intrinsically dynamic since: **a)** they run over globally available computational capabilities and network infrastructure, and **b)** they may require these computational capabilities in the form of services that are procured at run-time to fulfil a given business goal
- \* The discovery and binding of services is done at run-time by a dedicated middleware which is transparent from the perspective of the executing software artefact

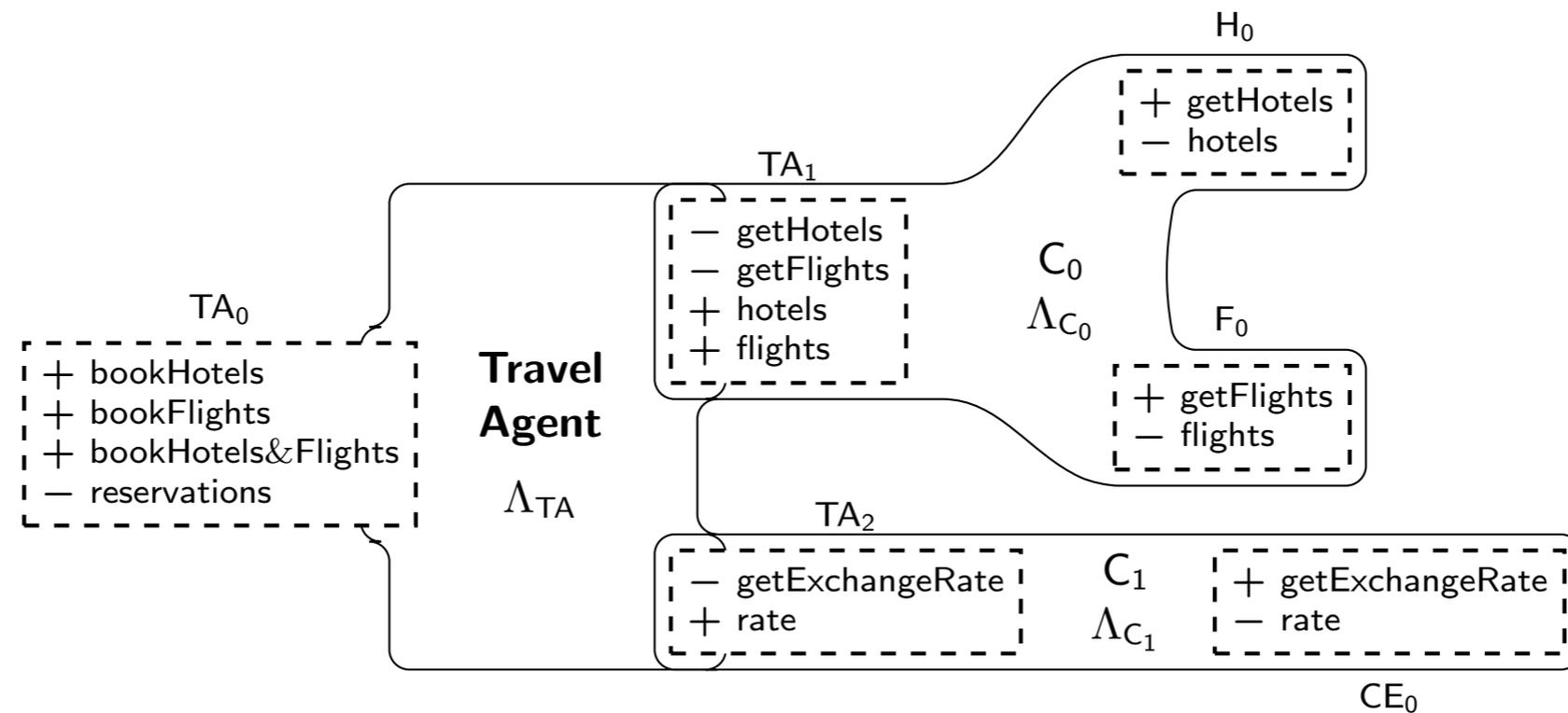
# Intro (The Motivation)

A **full operational semantics** for Asynchronous Relational Nets

- \* Properly understanding the behaviour associated to formal models requires to fix meaning to syntactic constructions (i.e., **semantics**)
- \* The dynamic nature of SOC suggests the definition of a semantics as close as possible to the actions occurring along an execution (i.e., **operational semantics**)
- \* Actions taking place in an execution define the expected behaviour of the components intervening in it, like the middleware; so we chose to avoid any denotational descriptions (i.e., **full**)

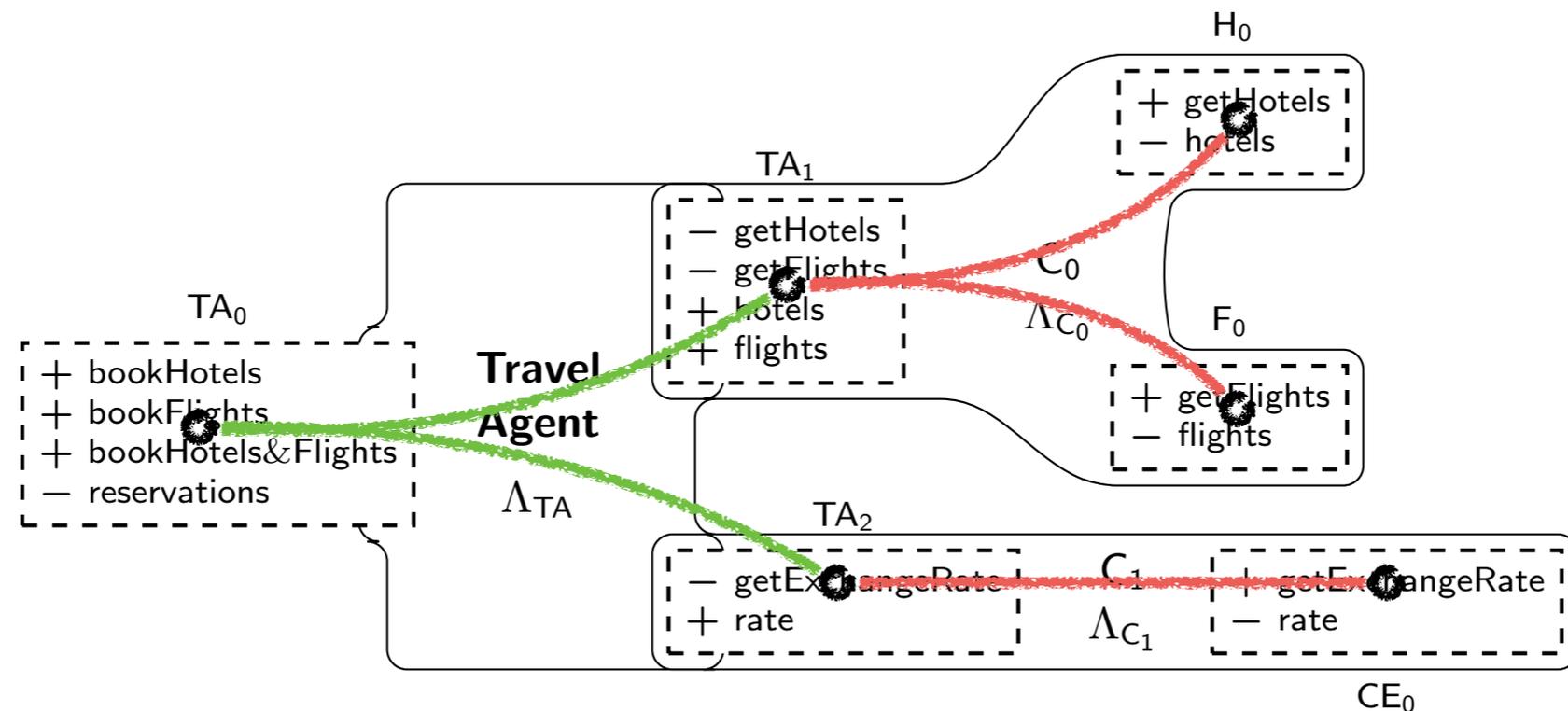
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A full operational semantics for **Asynchronous Relational Nets**



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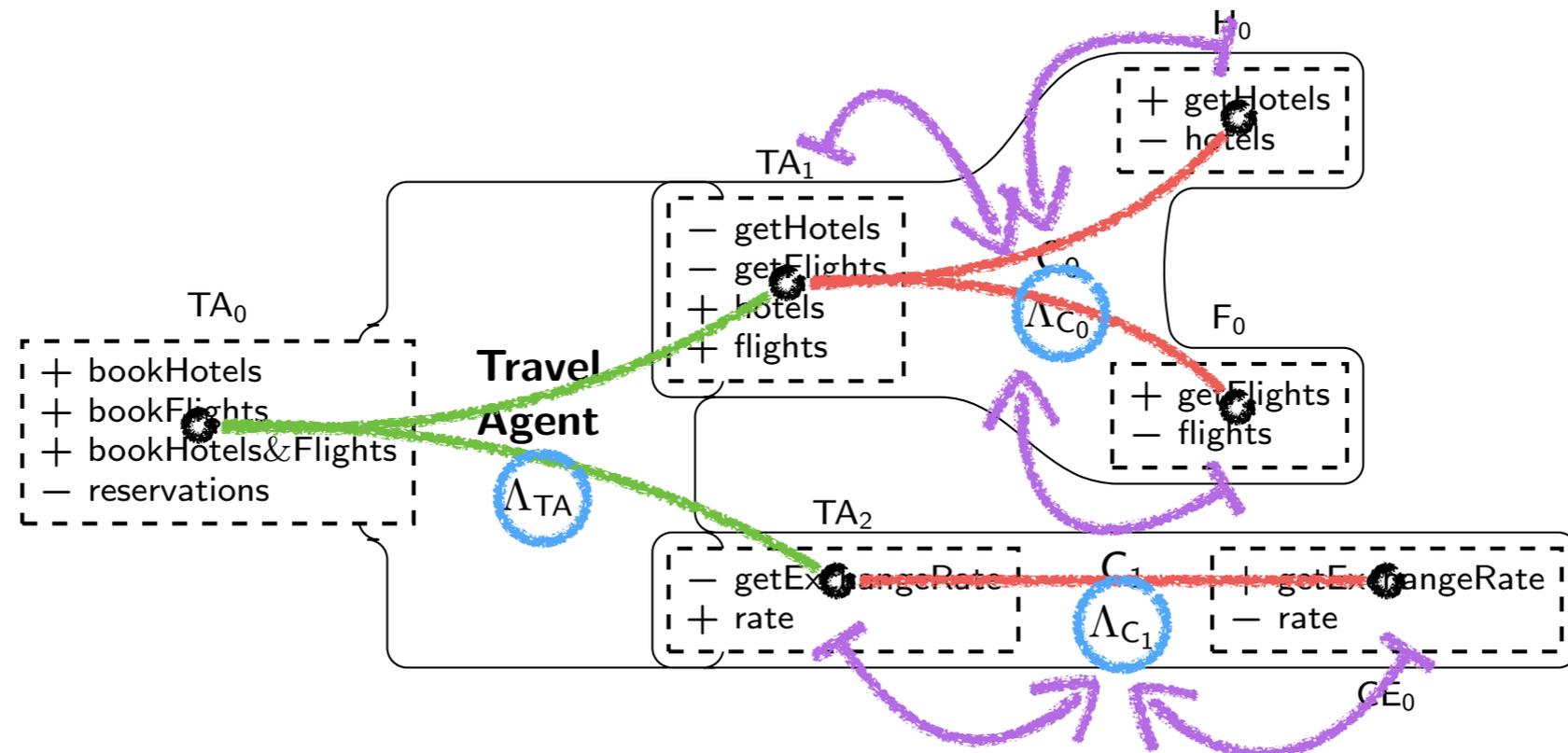
A full operational semantics for **Asynchronous Relational Nets**



An ARN is a hypergraph-based structure whose nodes are the **ports**, and has two types of hyperedges: **communication channels** and **processes**

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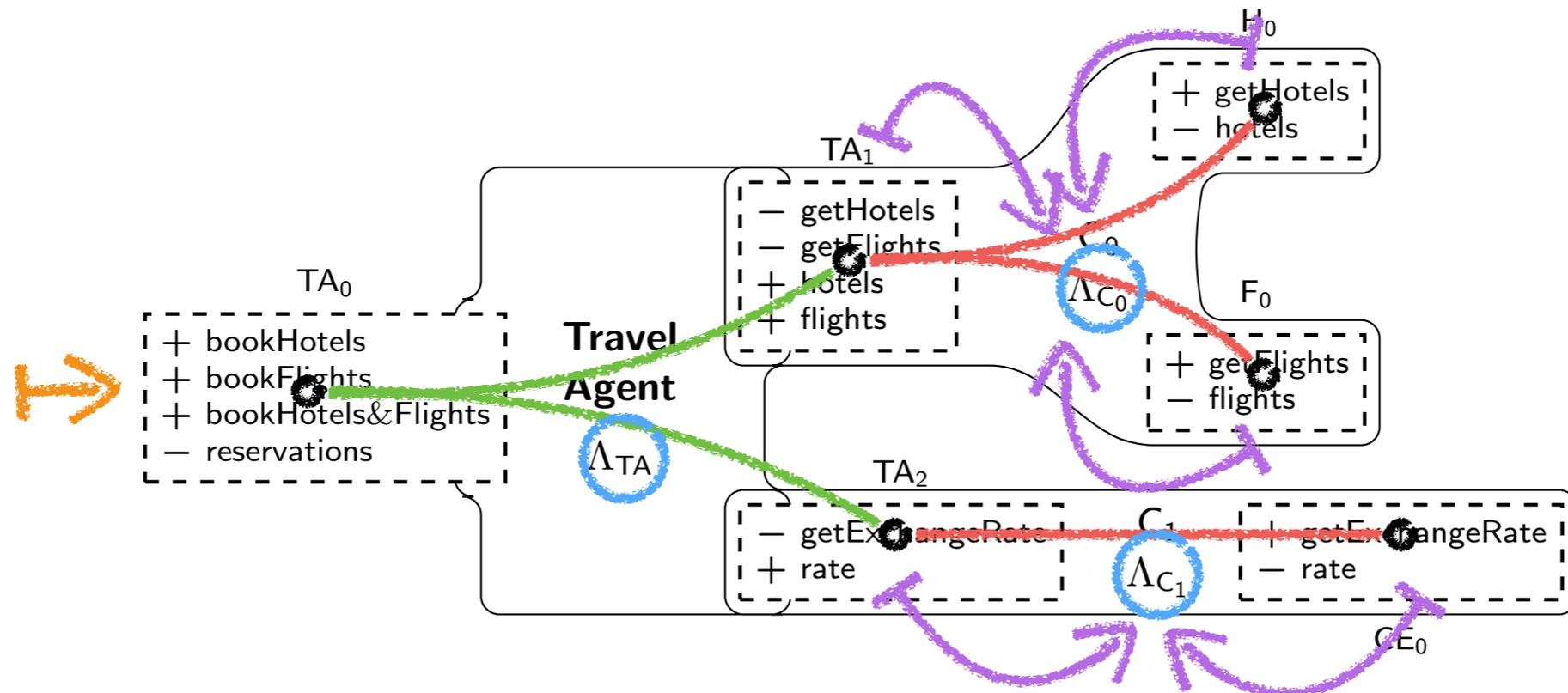
A full operational semantics for **Asynchronous Relational Nets**



Each edge is labeled with a **Müller automaton**, in the case of **processes** on the language of the **ports**, in the case of **communication channels** on a new language to which the language of the **ports** are **mapped by injections**,

# Intro (The Motivation)

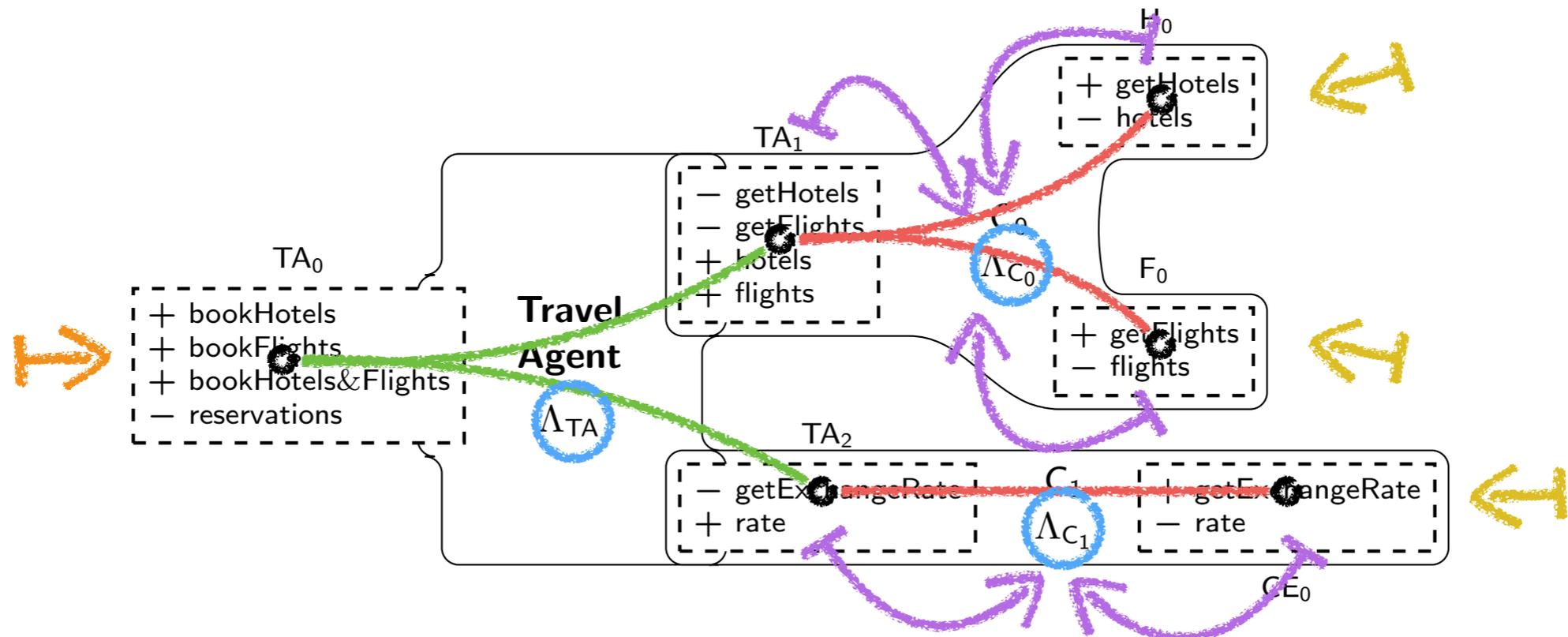
A full operational semantics for **Asynchronous Relational Nets**



**Nodes** that are only incident to **processes** are called **provides points**,

# Intro (The Motivation)

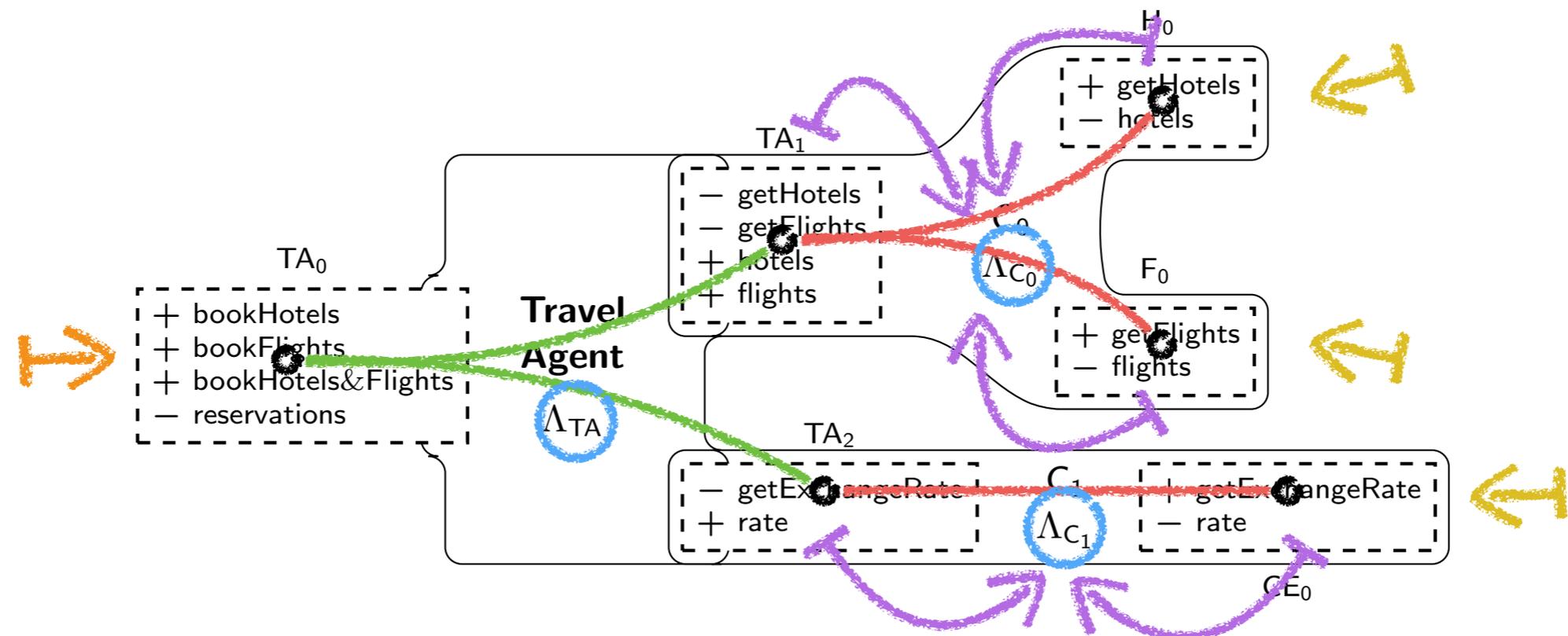
A full operational semantics for **Asynchronous Relational Nets**



**Nodes** that are only incident to **processes** are called **provides points**, while those that are only incident to **communication channels** are called **require points**

# Intro (The Motivation)

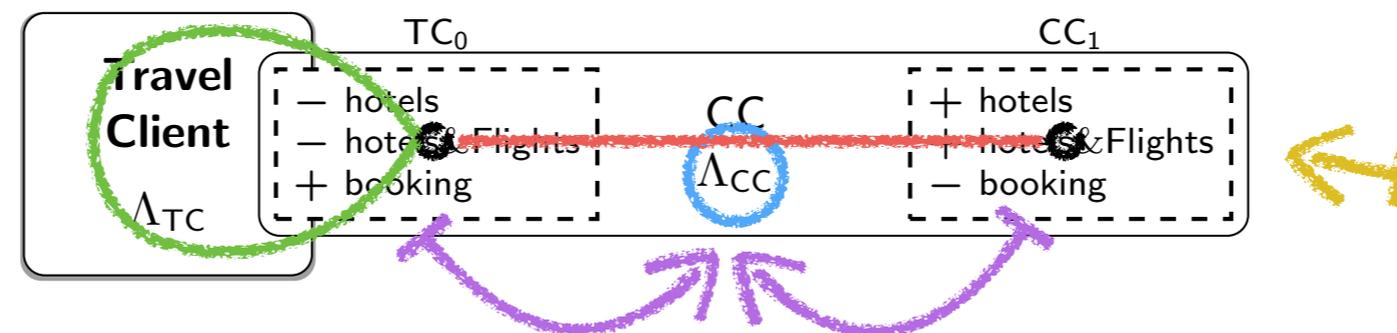
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If an ARN has **provides points**, it is said to be a **service** as it can be invoked through them,

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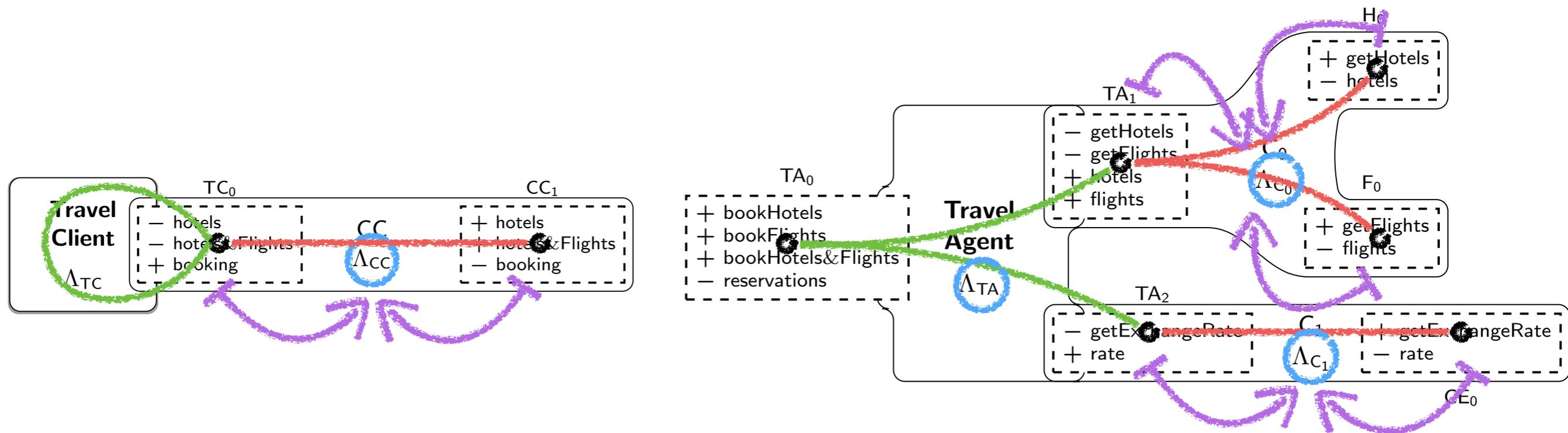
A full operational semantics for **Asynchronous Relational Nets**



If an ARN has **provides points**, it is said to be a **service** as it can be invoked through them, while if it only have **requires points**, it is said to be an **activity**, meaning that it can not be invoked.

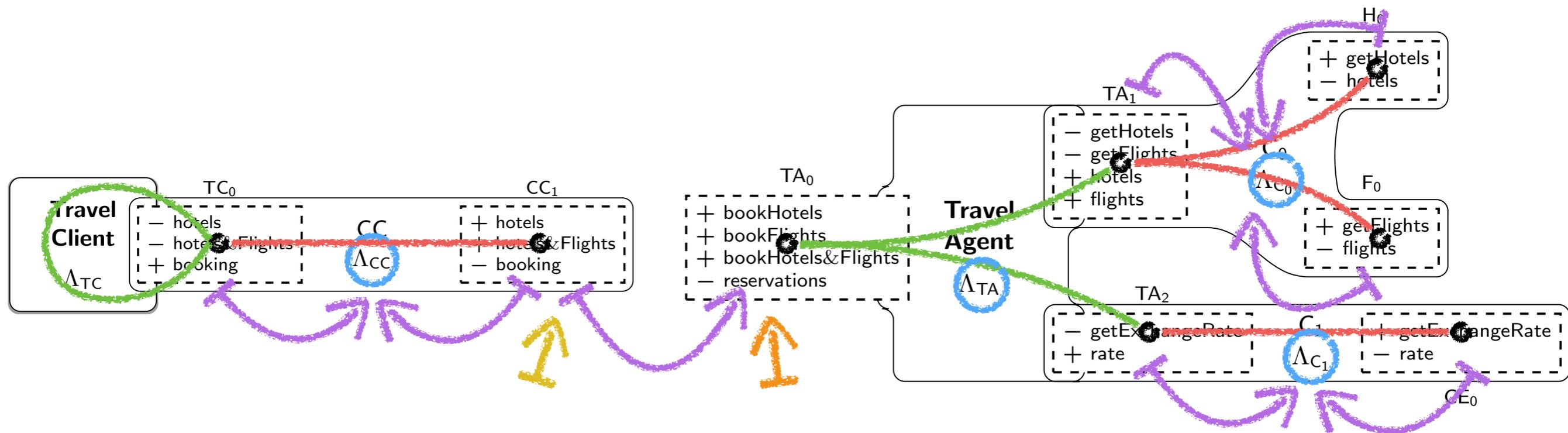
# Intro (The Motivation)

A full operational semantics for **Asynchronous Relational Nets**



# Intro (The Motivation)

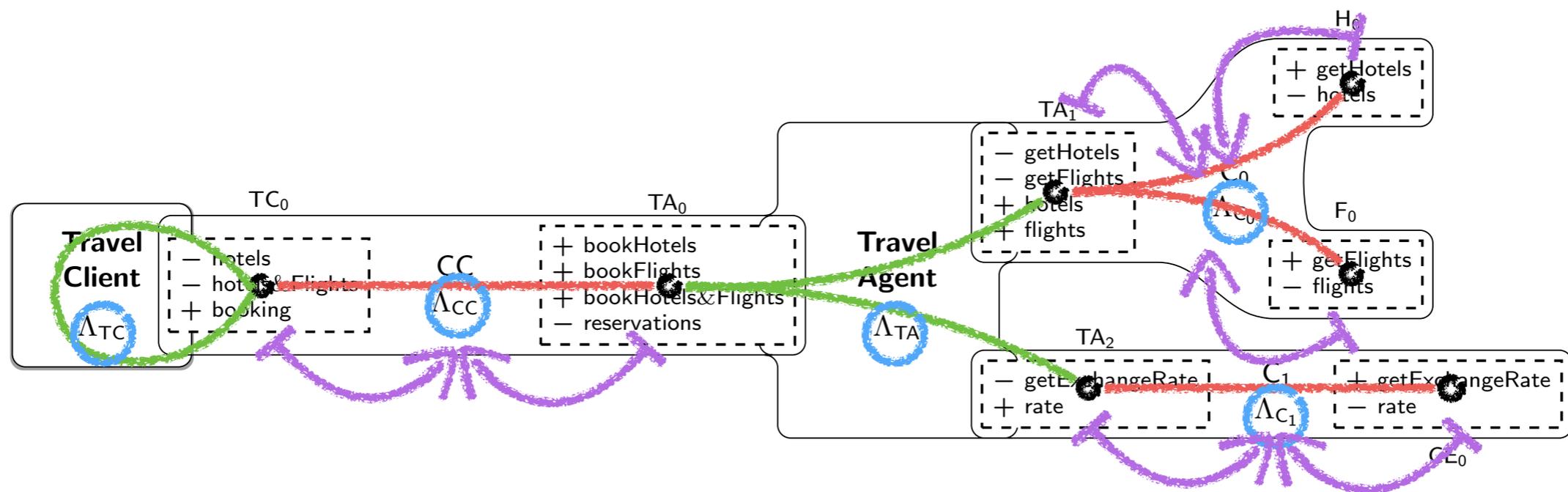
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The composition of an **activity** with a **service** is done by **injectively mapping** the language of a **requires points** of an activity to the language of a **provides point** of a service.

# Intro (The Motivation)

A full operational semantics for **Asynchronous Relational Nets**

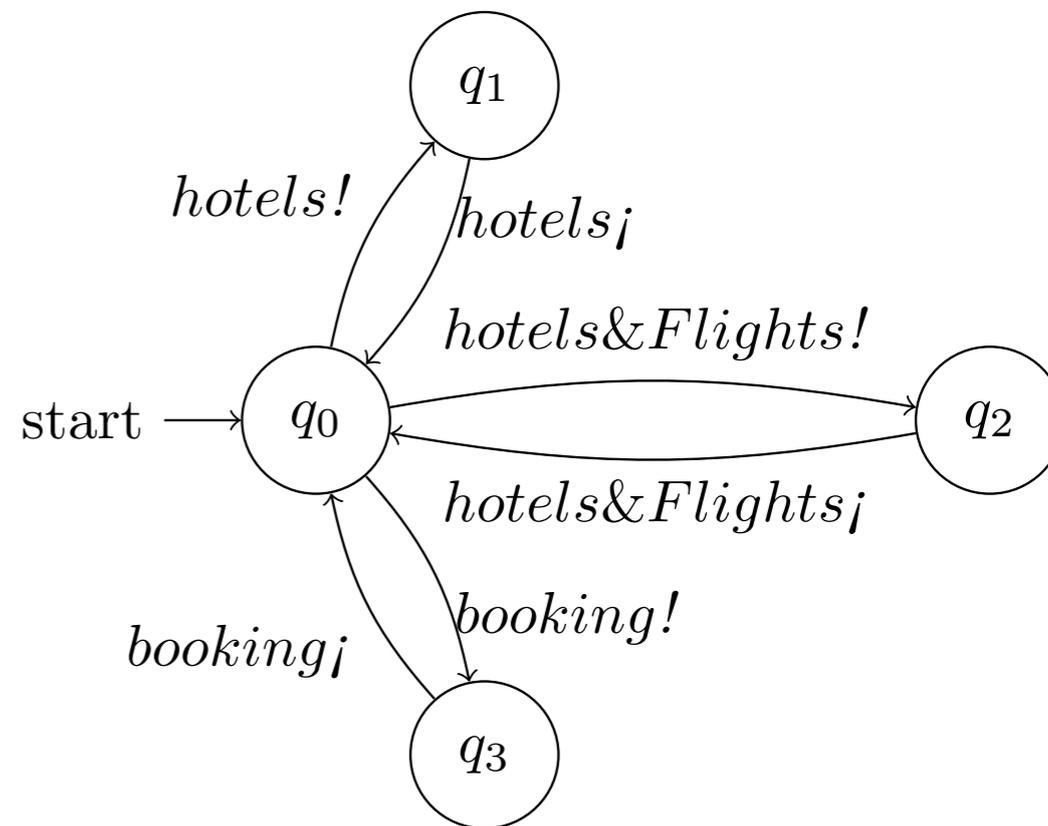
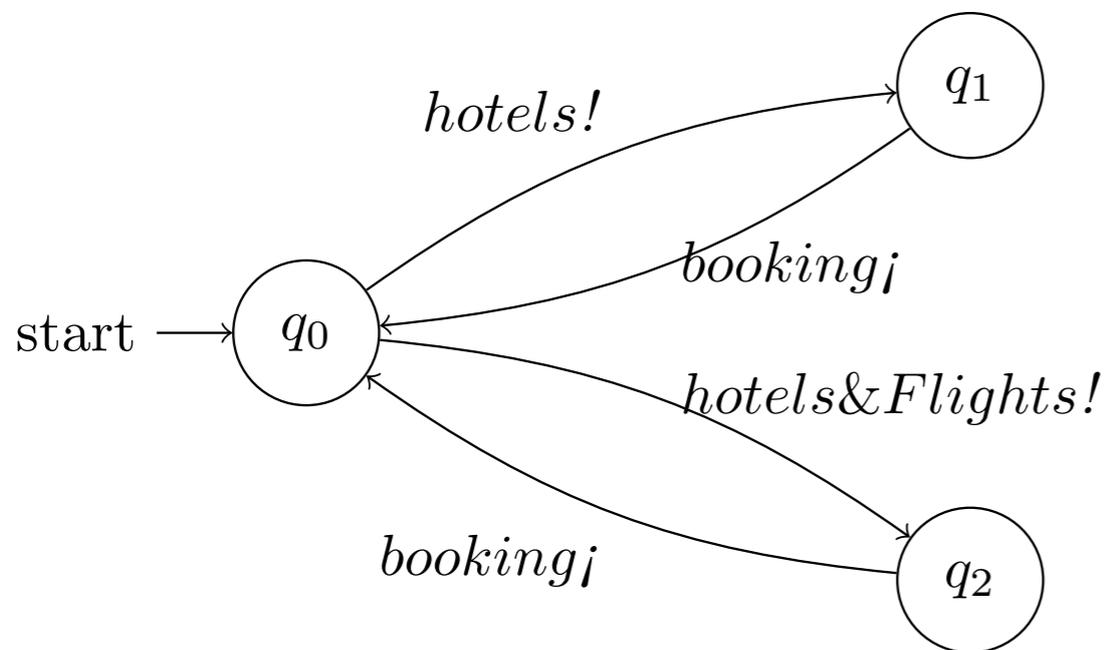


The composition of an **activity** with a **service** is done by **injectively mapping** the language of a **requires points** of an activity to the language of a **provides point** of a service.

*Informally speaking*

# Execution of activities

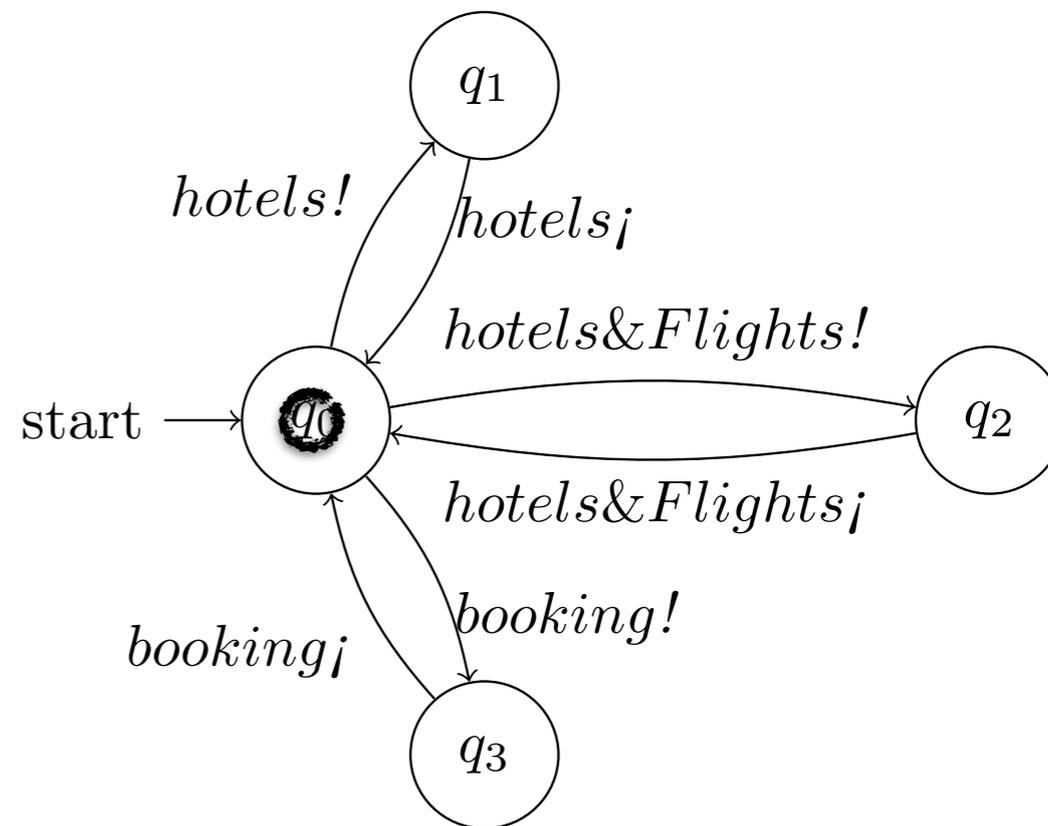
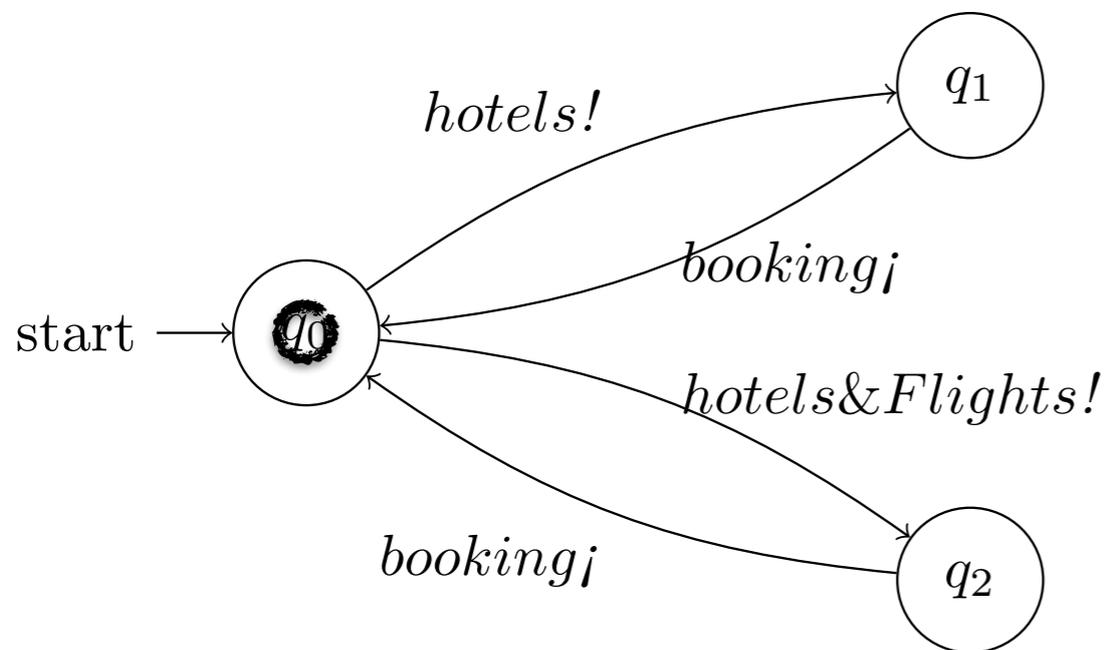
Internal transitions



*Informally speaking*

# Execution of activities

Internal transitions

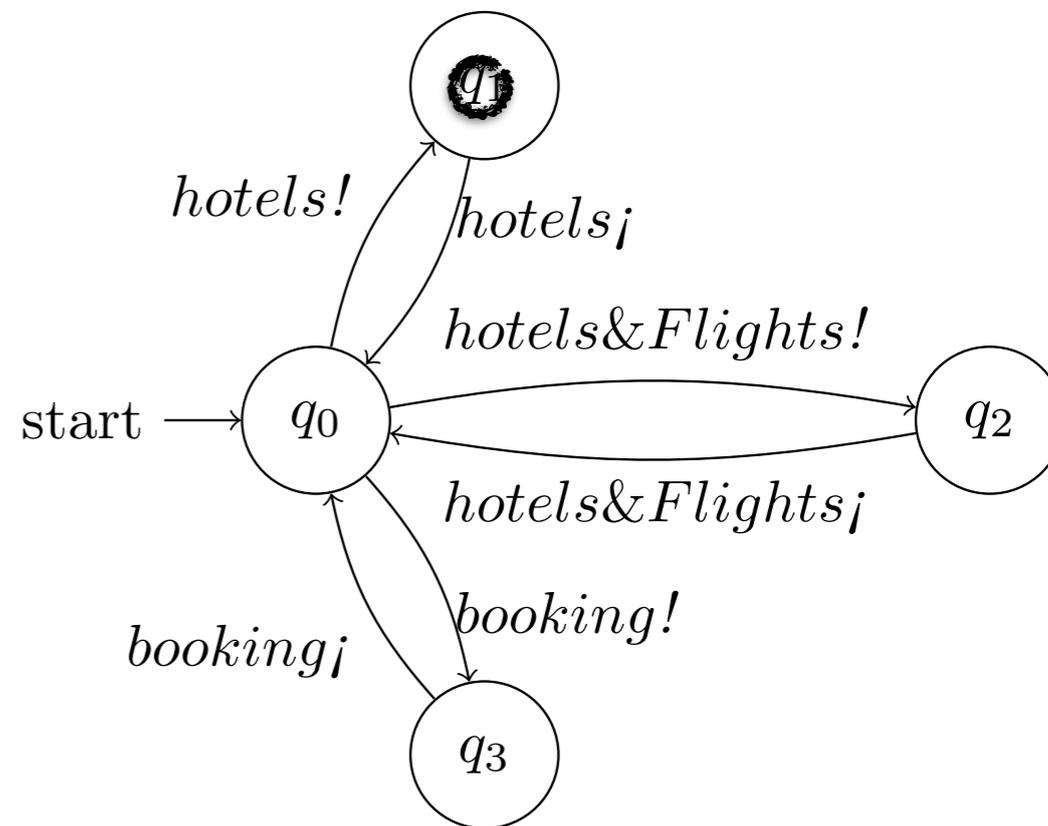
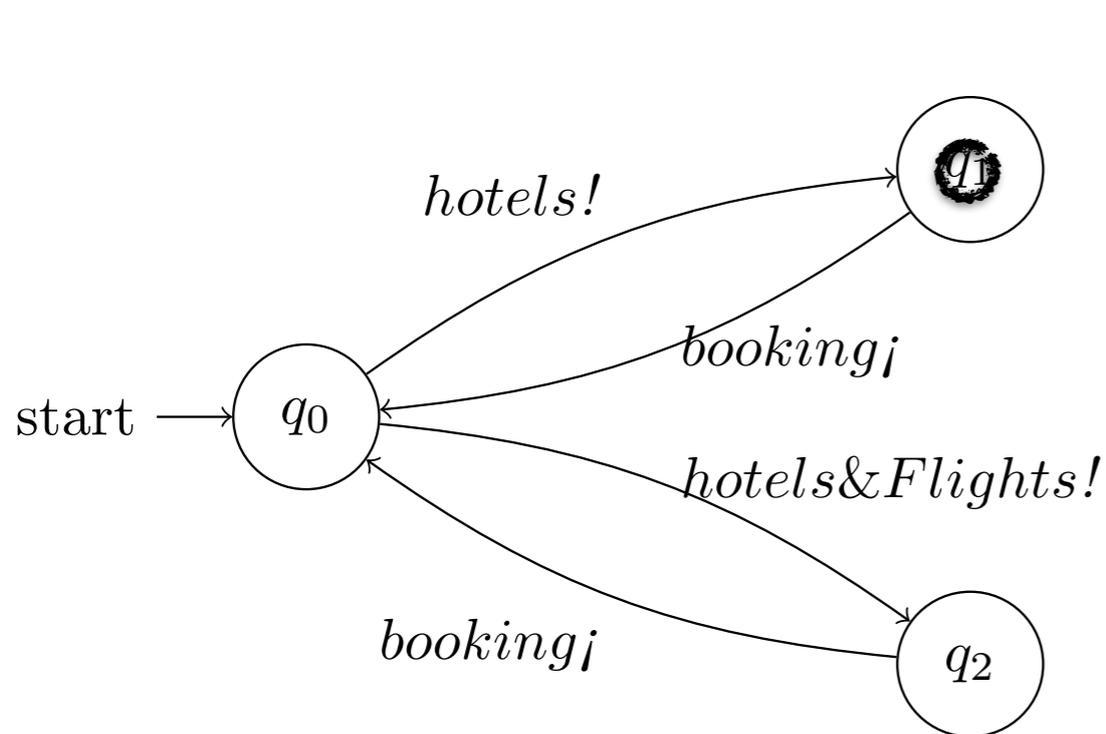


( $q_0$ ,  $q_0$ )

*Informally speaking*

# Execution of activities

Internal transitions

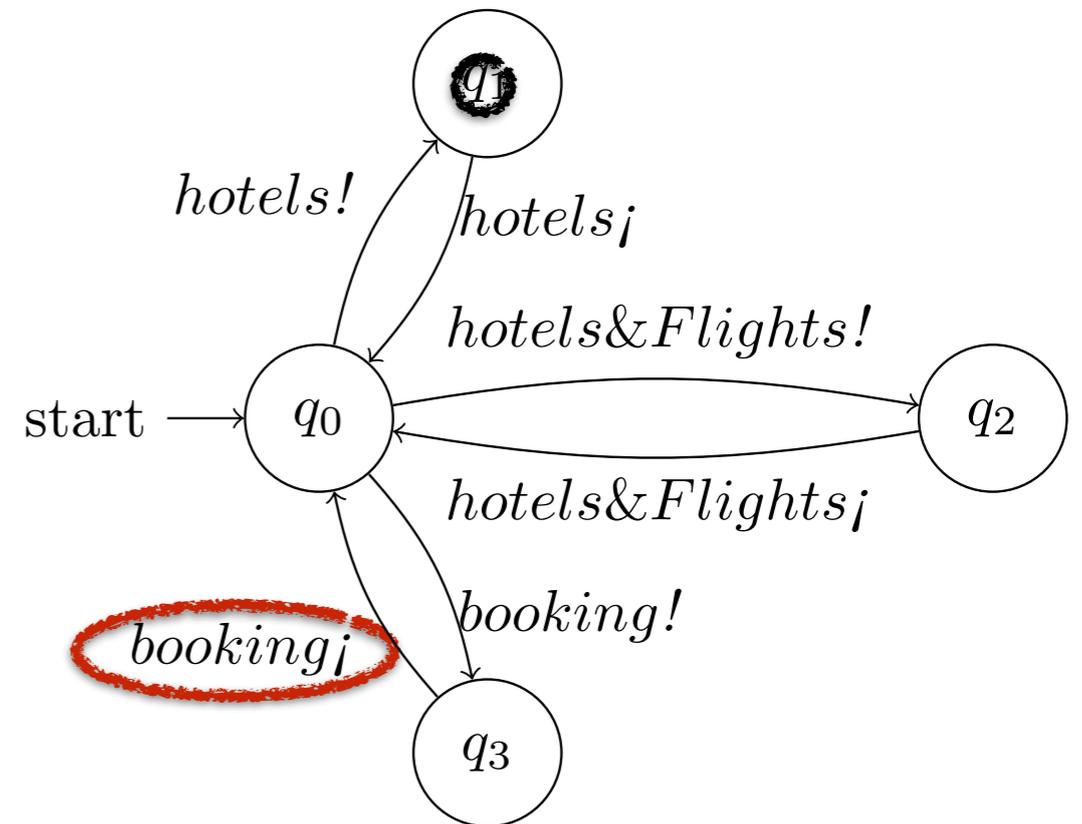
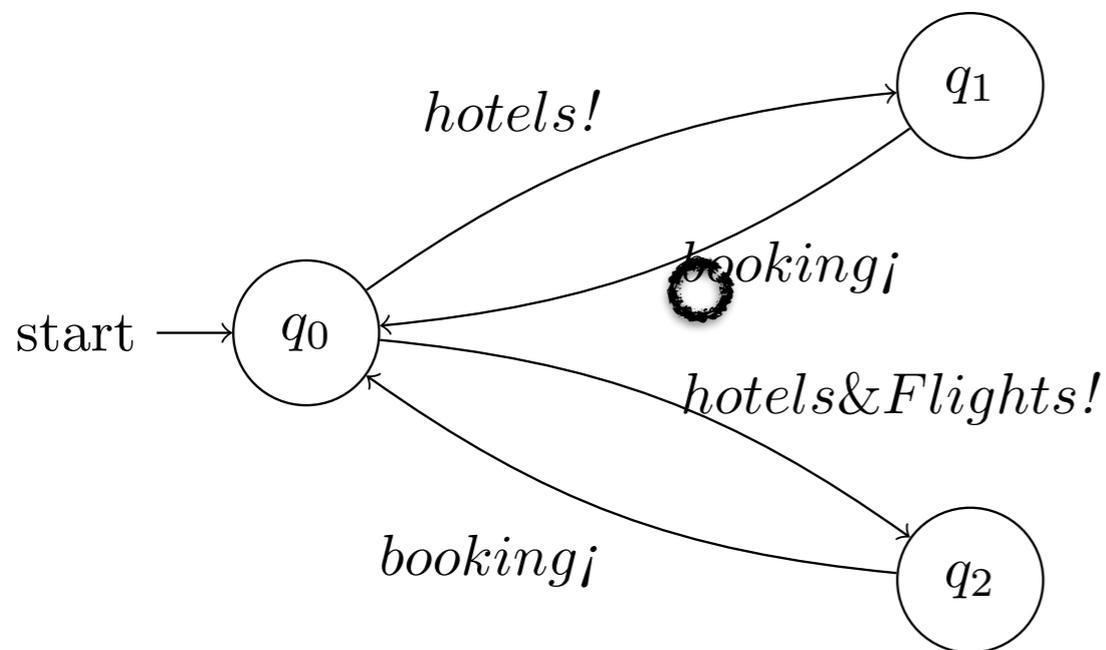


$(q_0, q_0) \xrightarrow{\text{hotels!}} (q_1, q_1)$

*Informally speaking*

# Execution of activities

Internal transitions

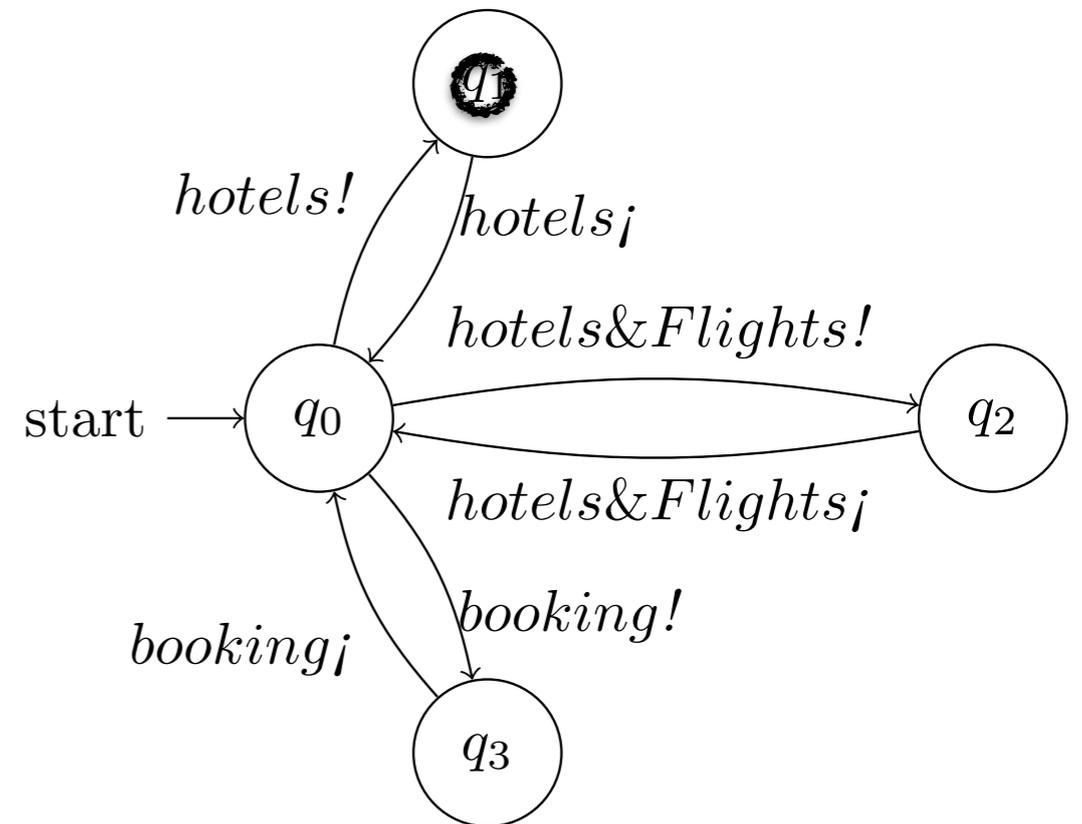
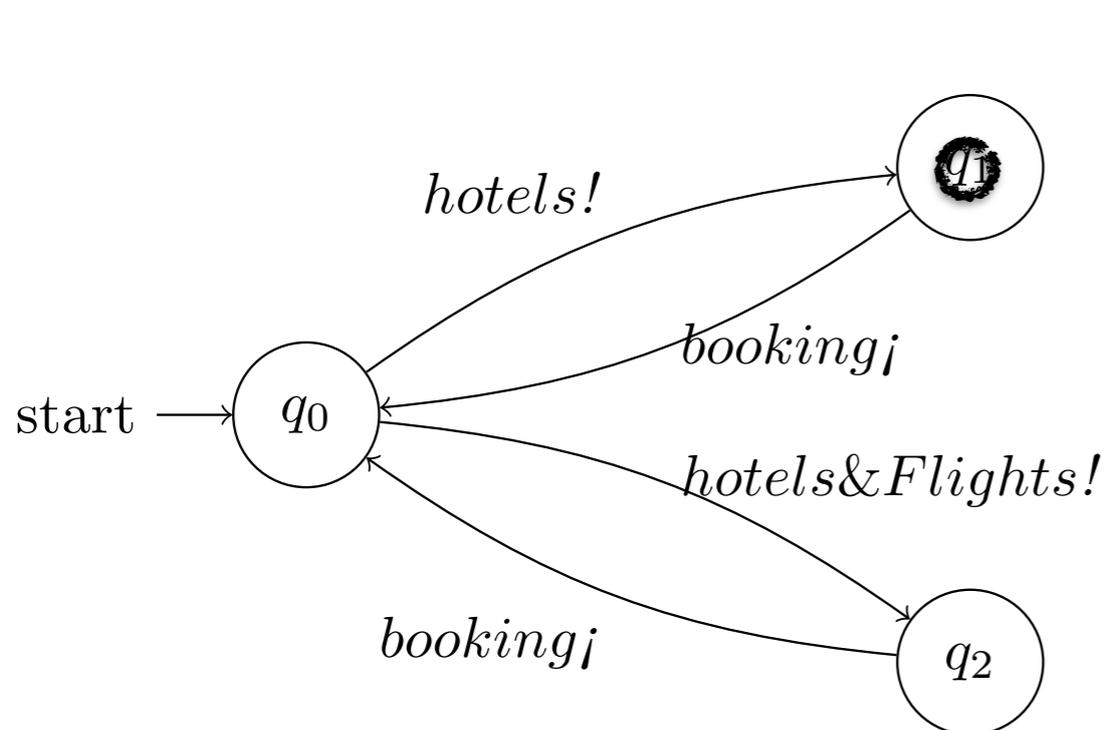


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*Informally speaking*

# Execution of activities

Internal transitions

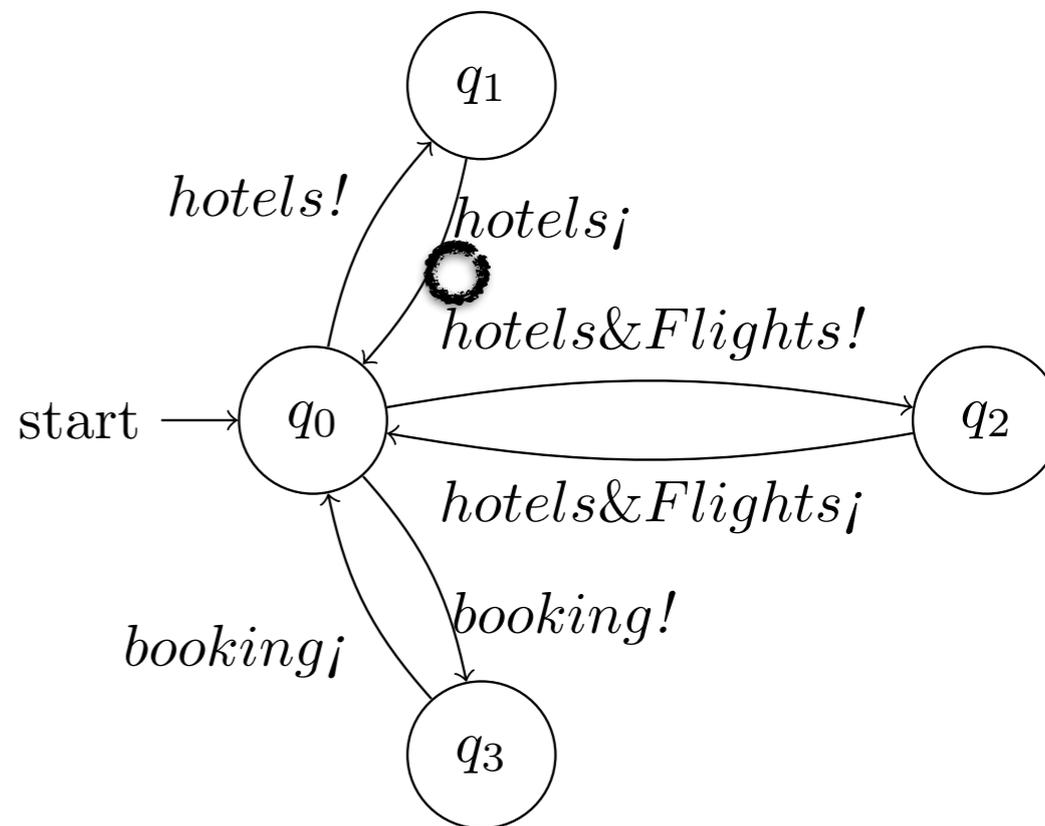
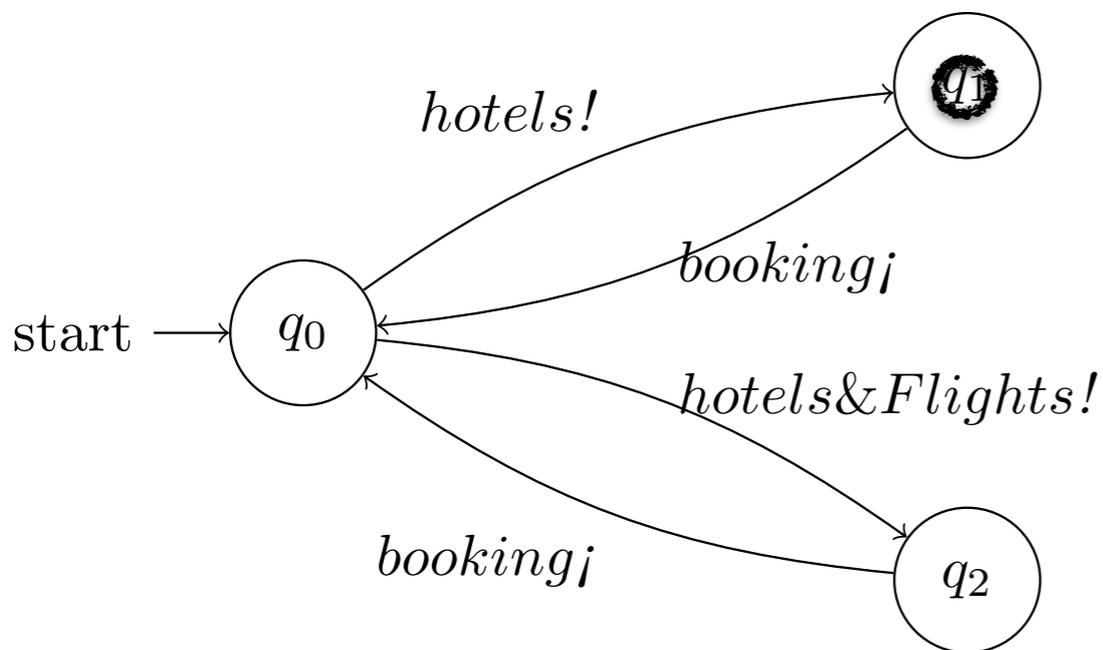


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*Informally speaking*

# Execution of activities

Internal transitions

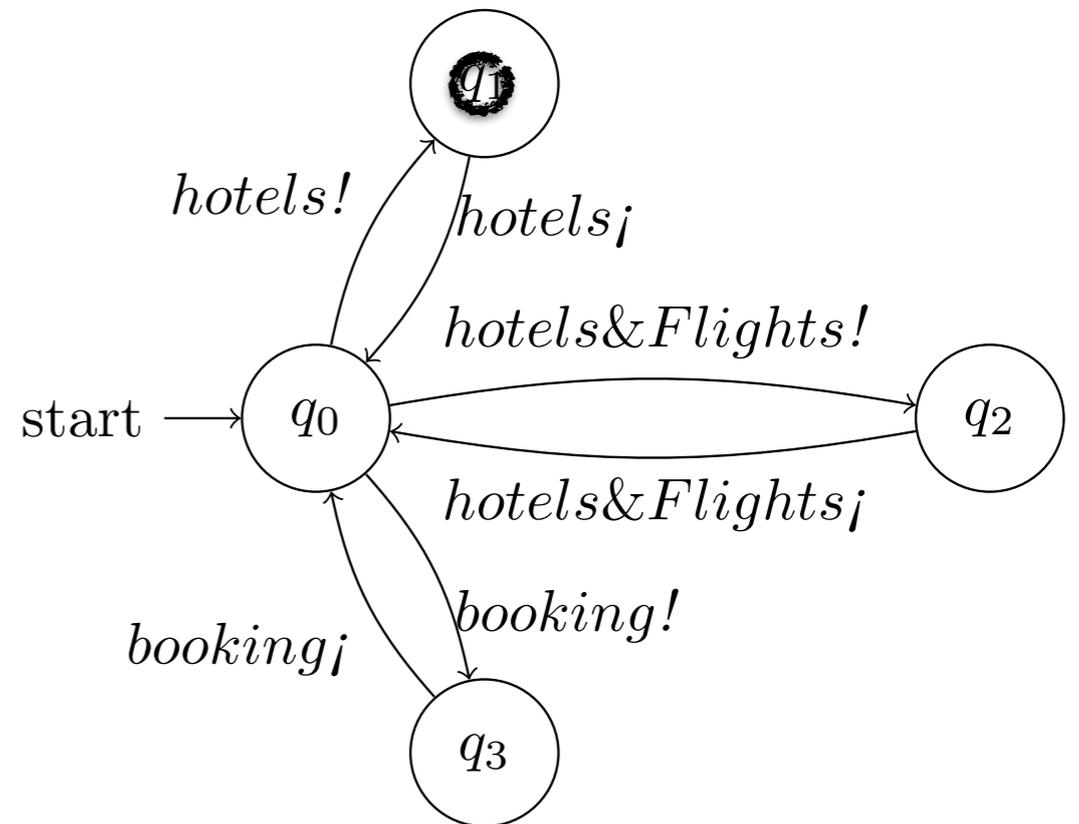
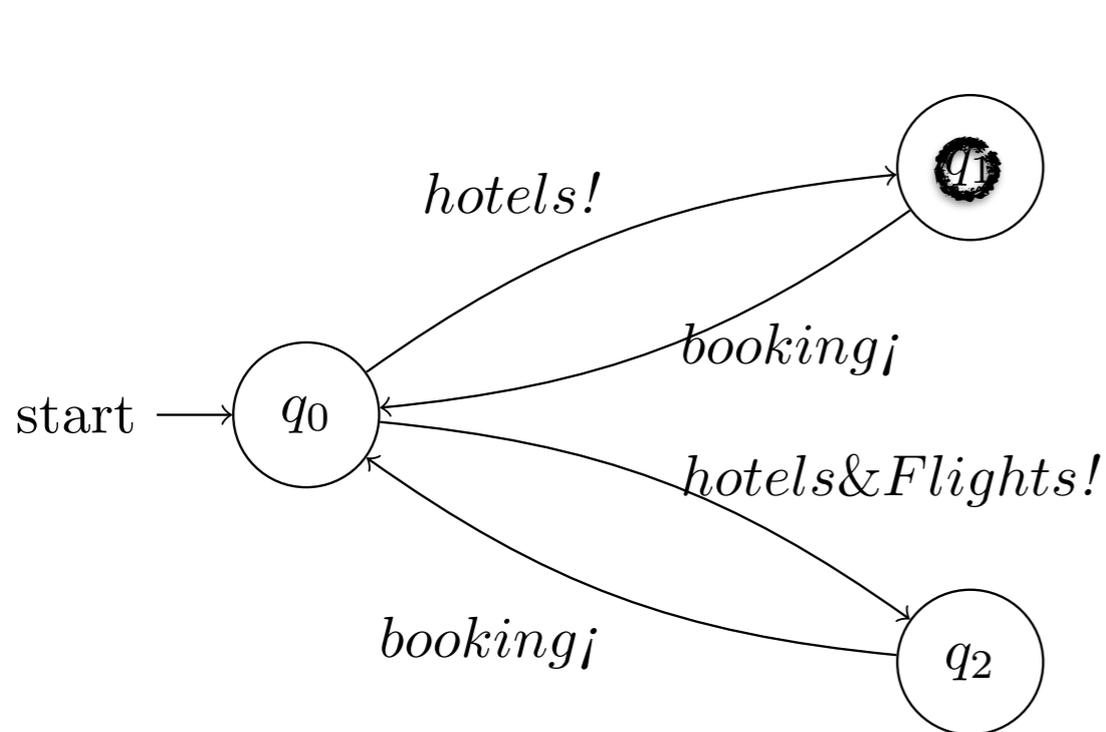


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*Informally speaking*

# Execution of activities

Internal transitions

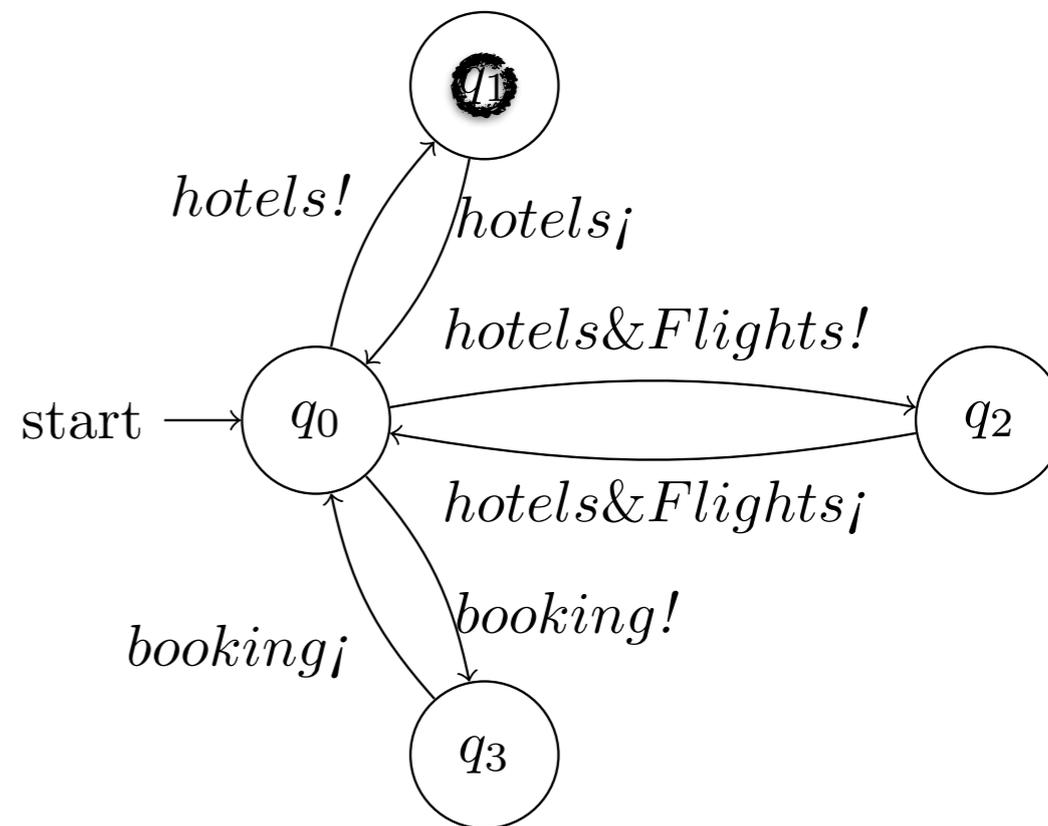
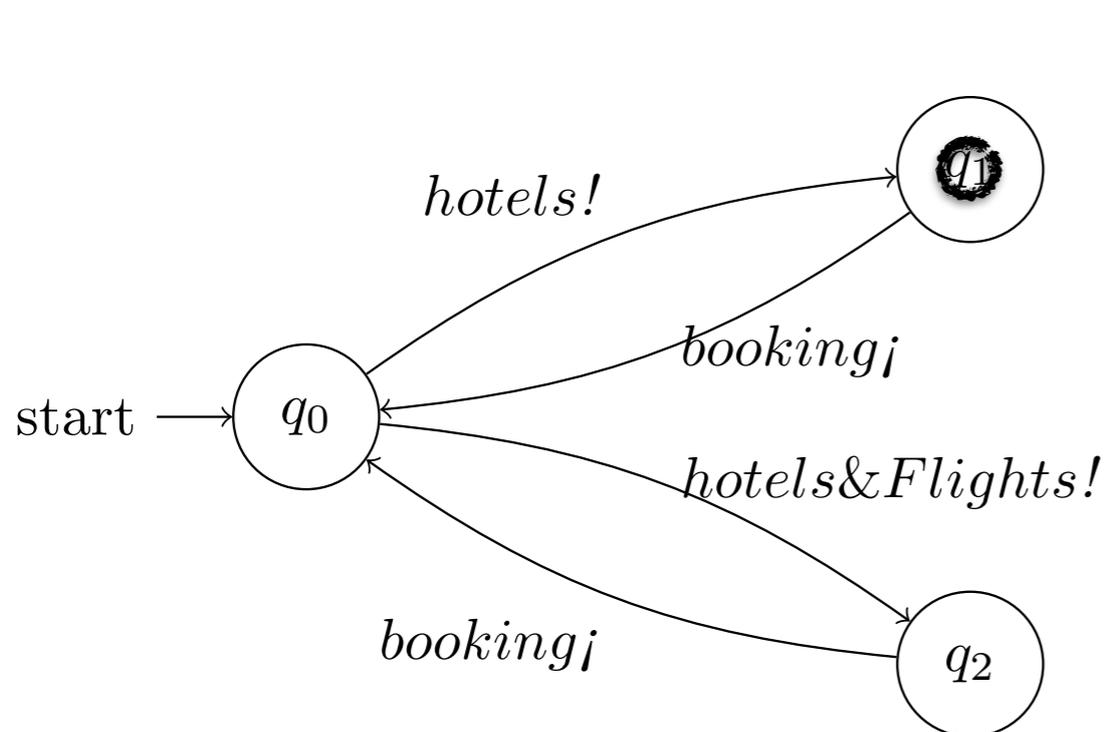


$(q_0, q_0) \xrightarrow{hotels!} (q_1, q_1)$

*Informally speaking*

# Execution of activities

Reconfiguration actions

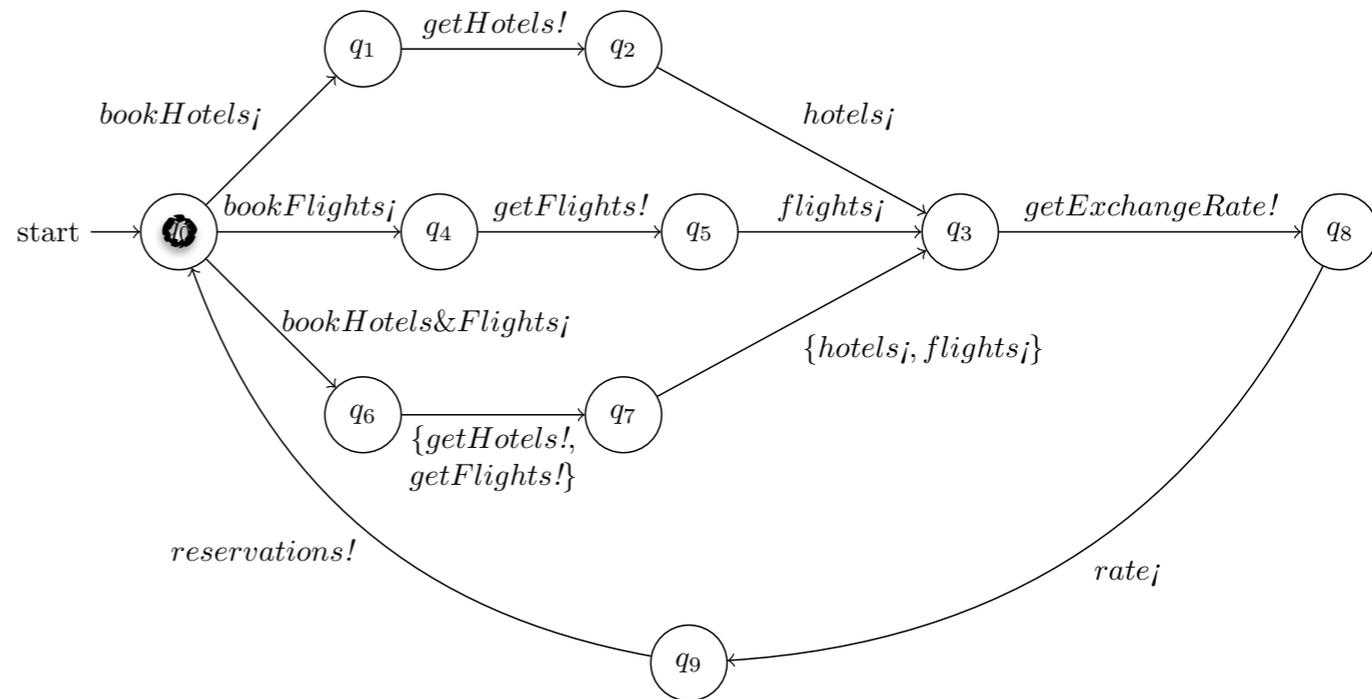
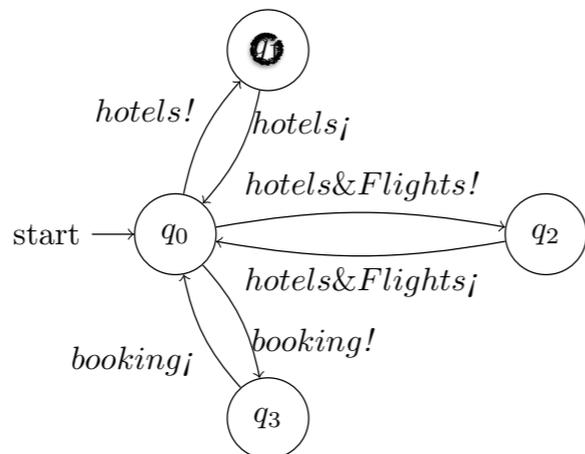
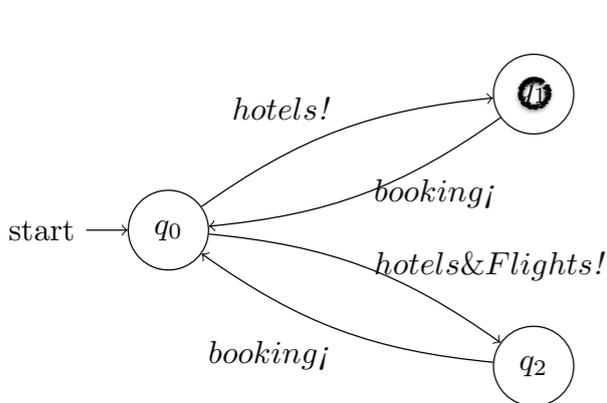
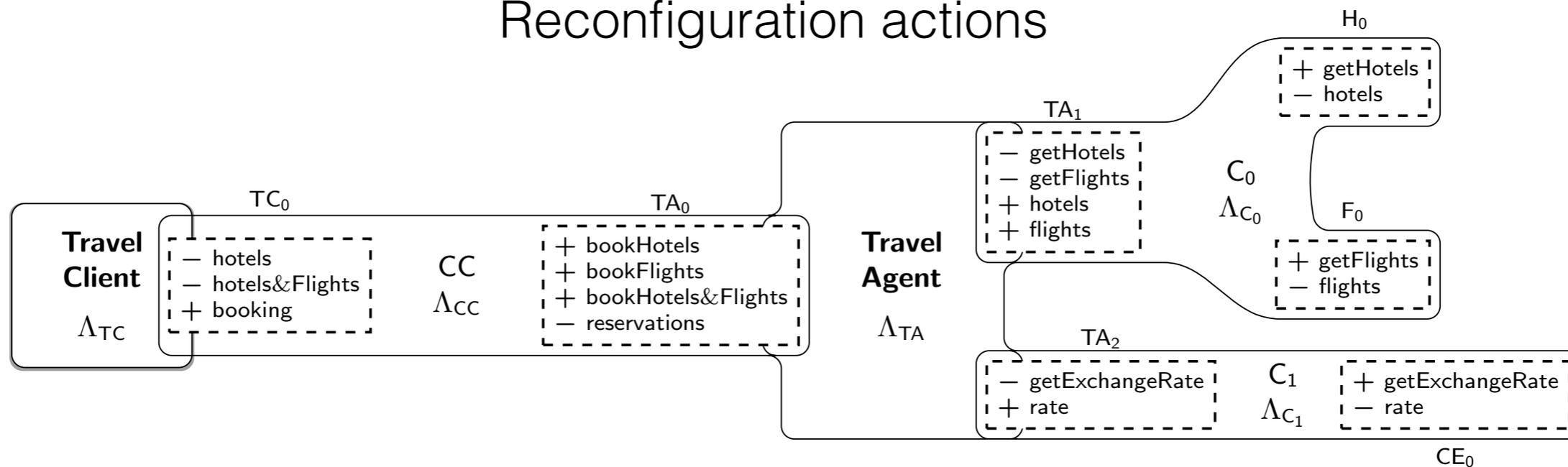


...  $\xrightarrow{hotels!}$   $(q_1, q_1)$

*Informally speaking*

# Execution of activities

Reconfiguration actions

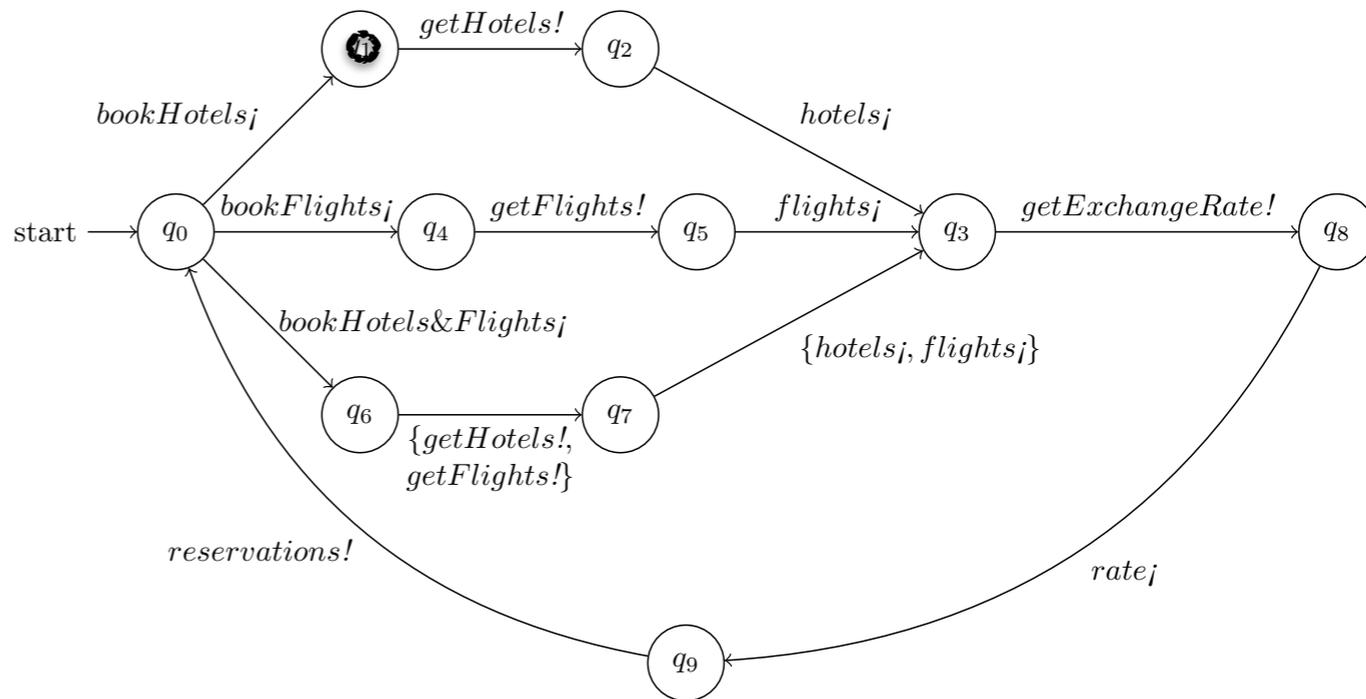
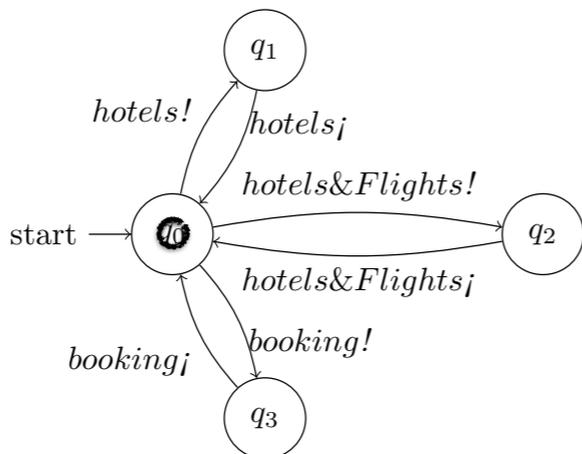
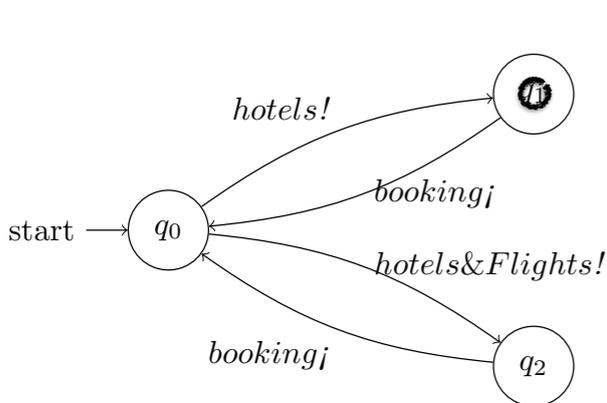
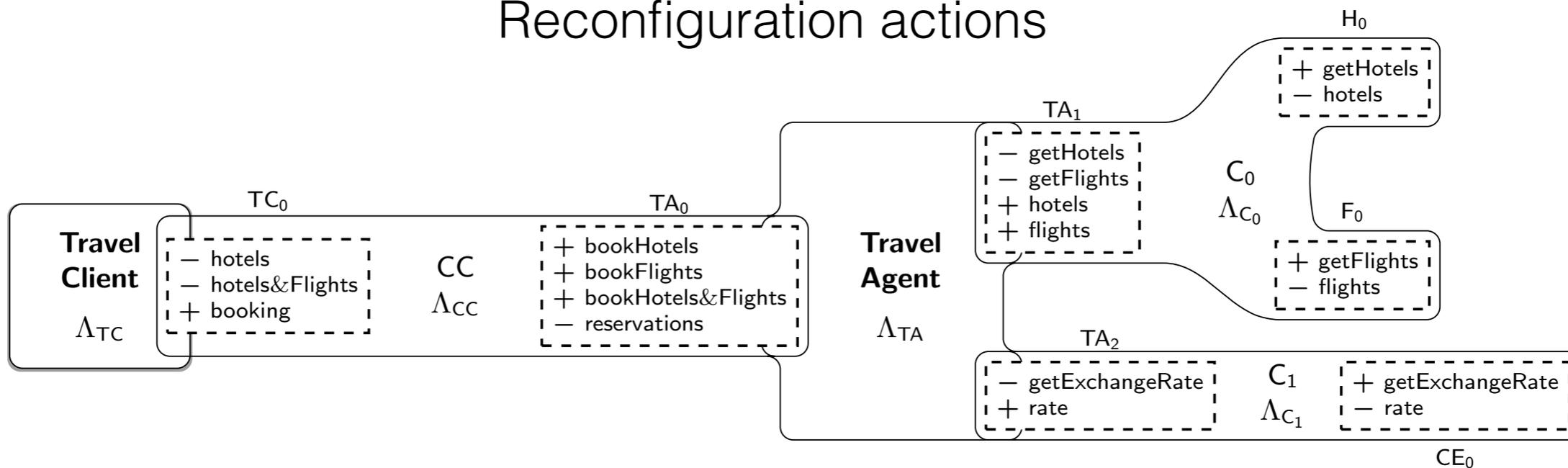


...  $\xrightarrow{hotels!}$   $(q_1, q_1, q_0)$

*Informally speaking*

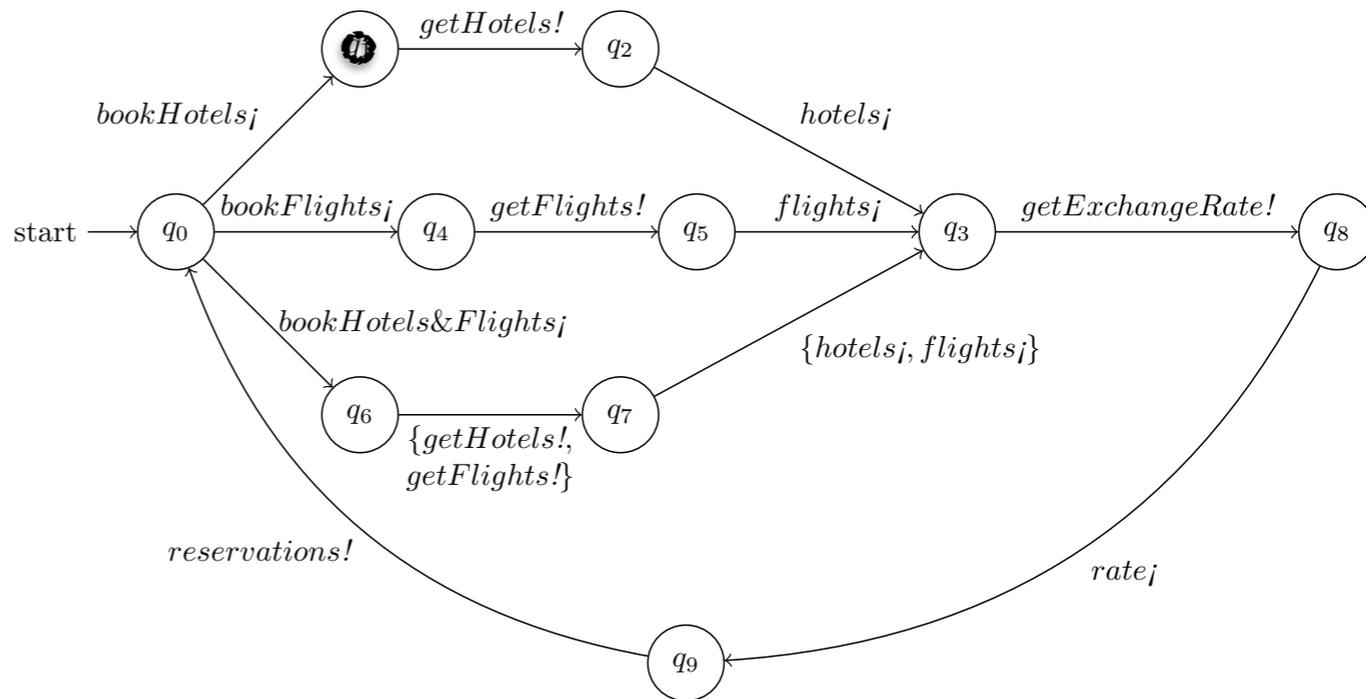
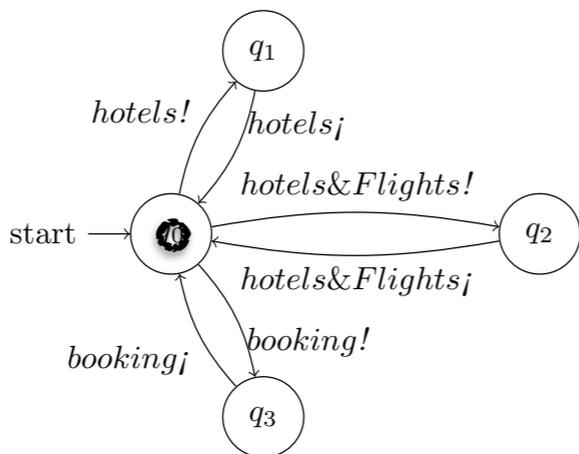
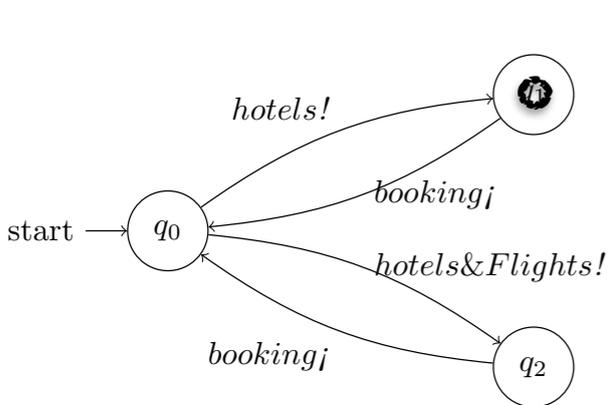
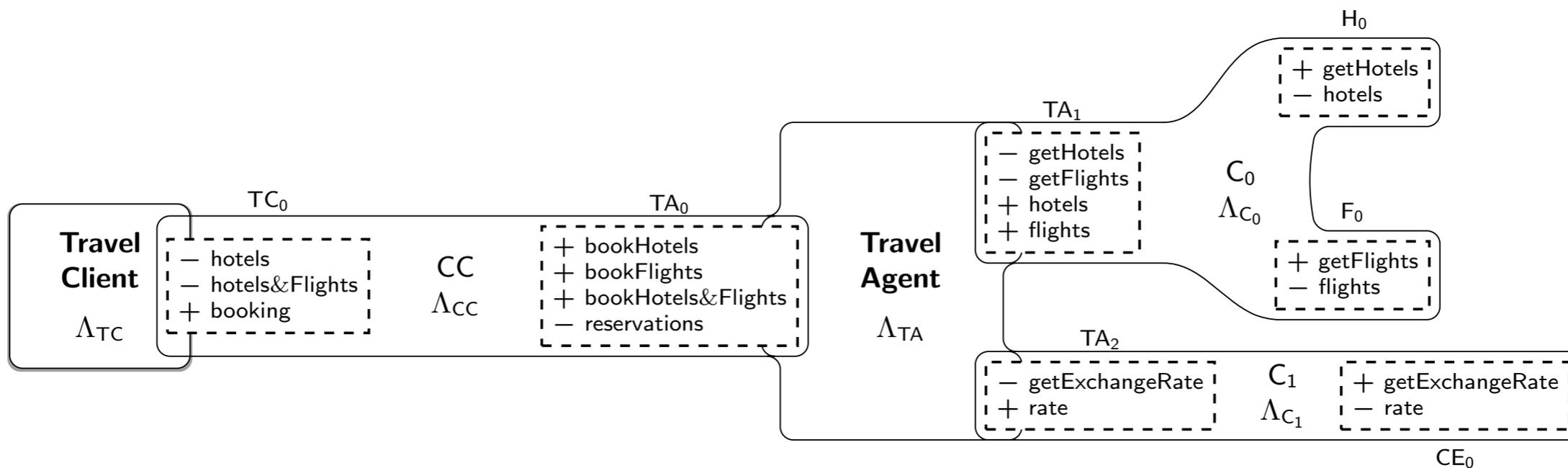
# Execution of activities

Reconfiguration actions



*Informally speaking*

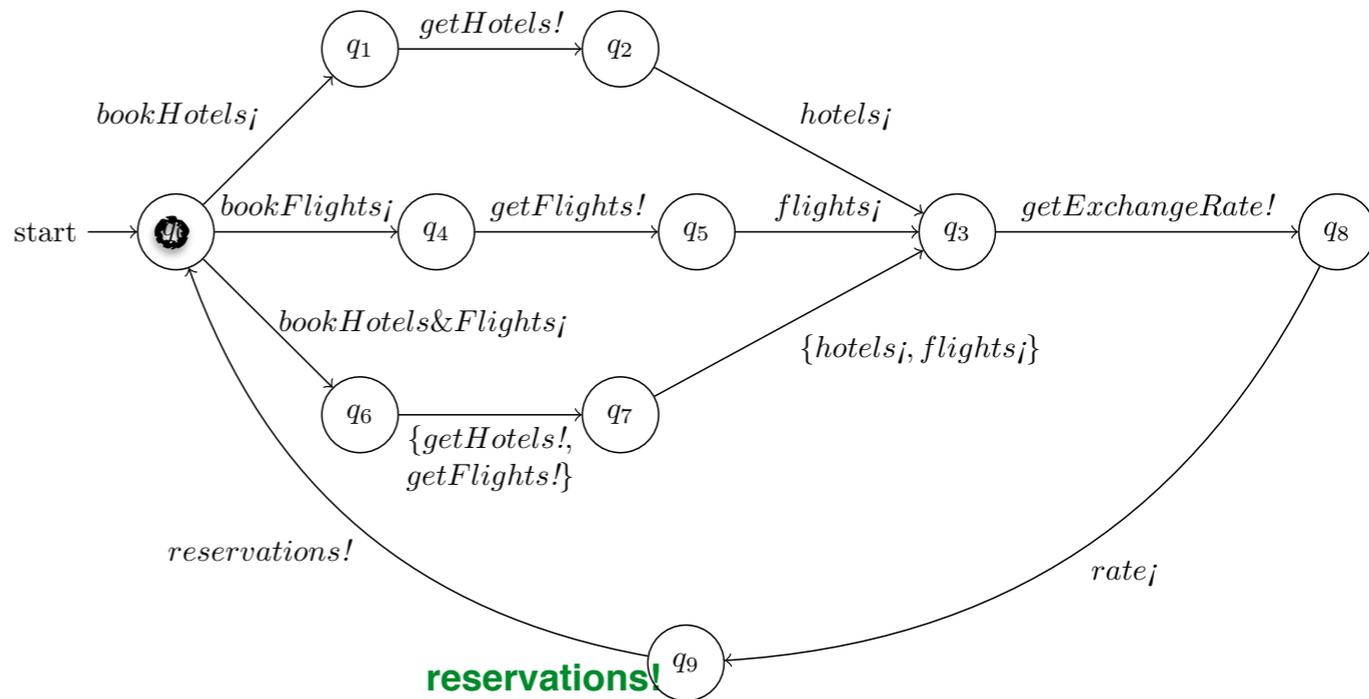
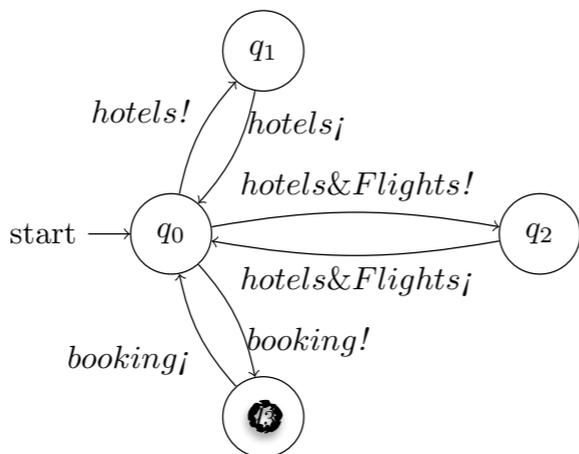
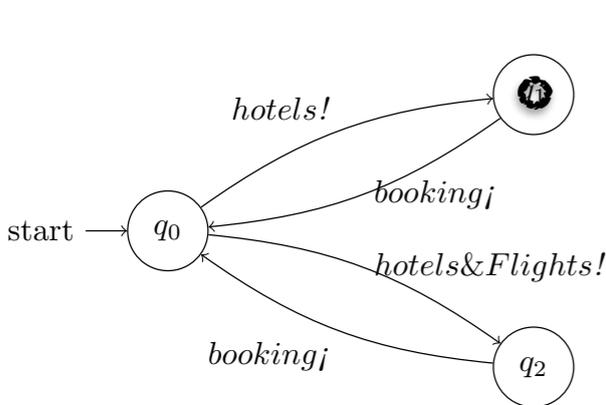
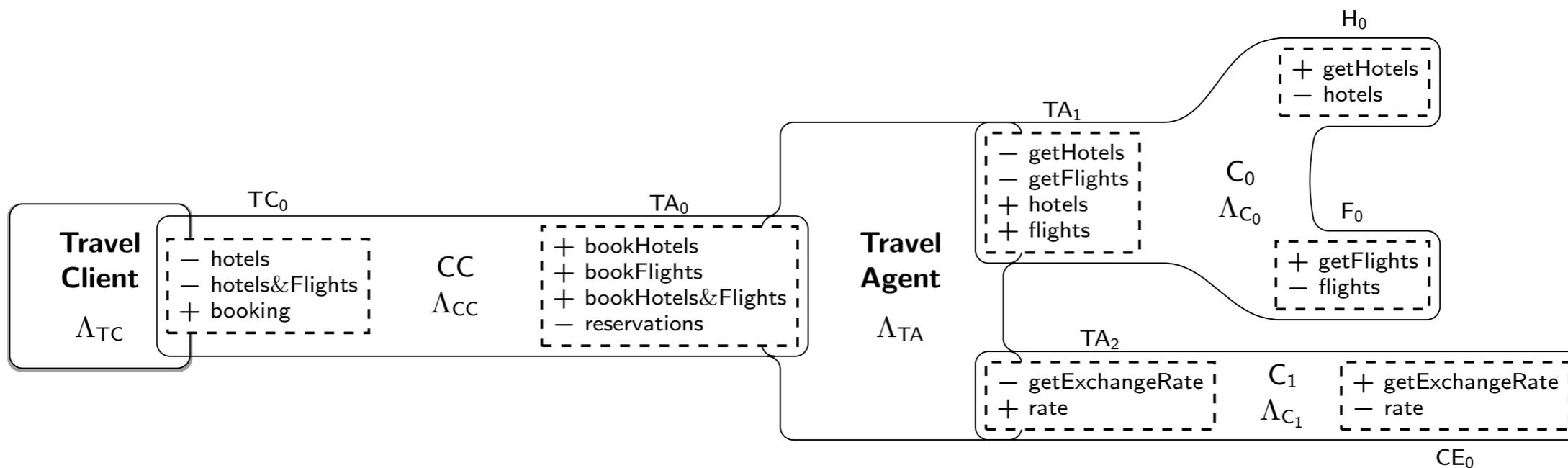
# Execution of activities



... **hotelsj**  
**bookHotelsj** → (q1, q0, q1)

*Informally speaking*

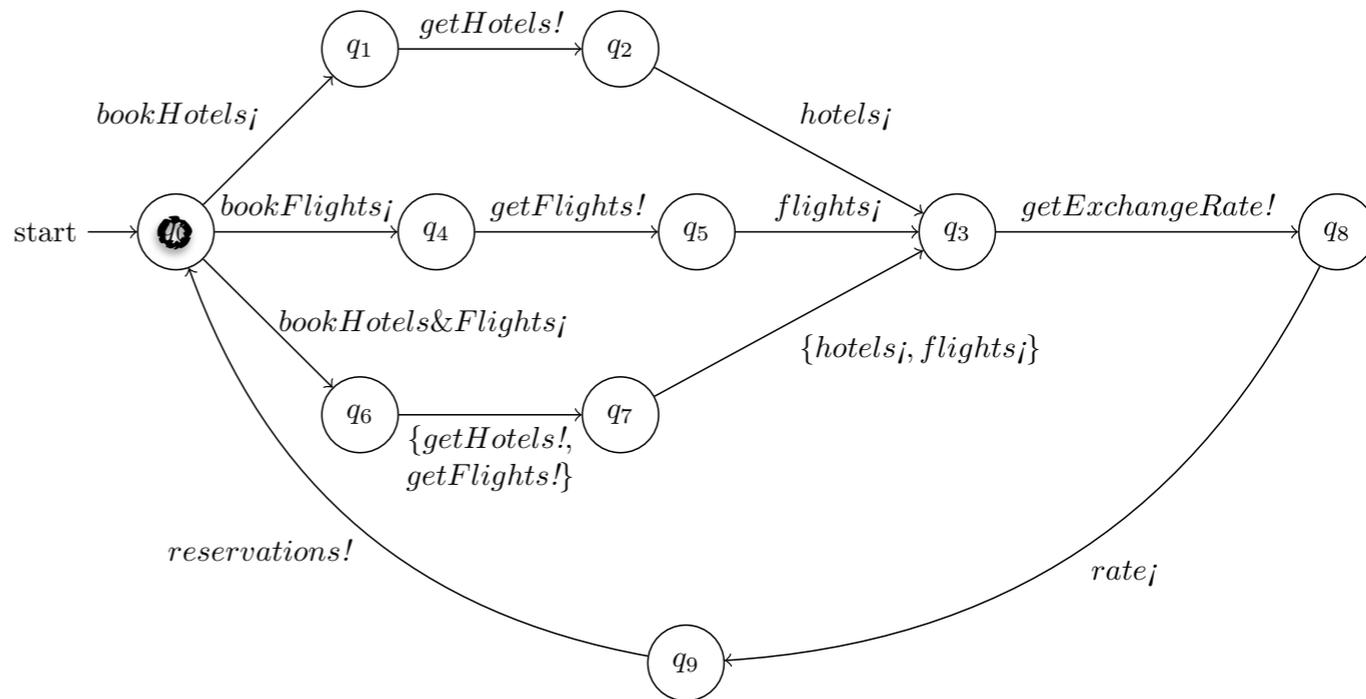
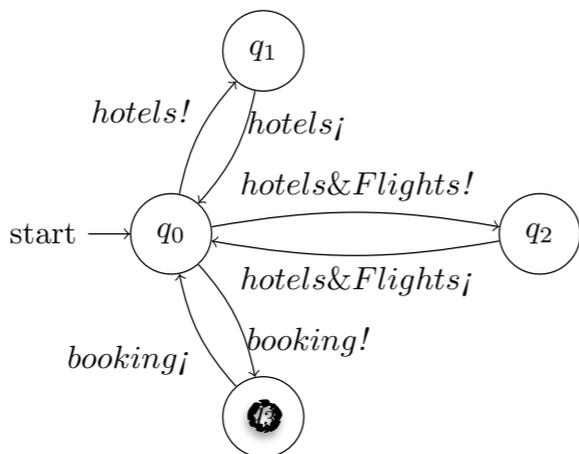
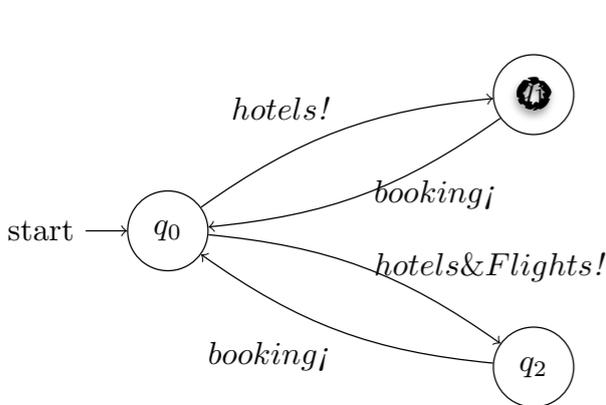
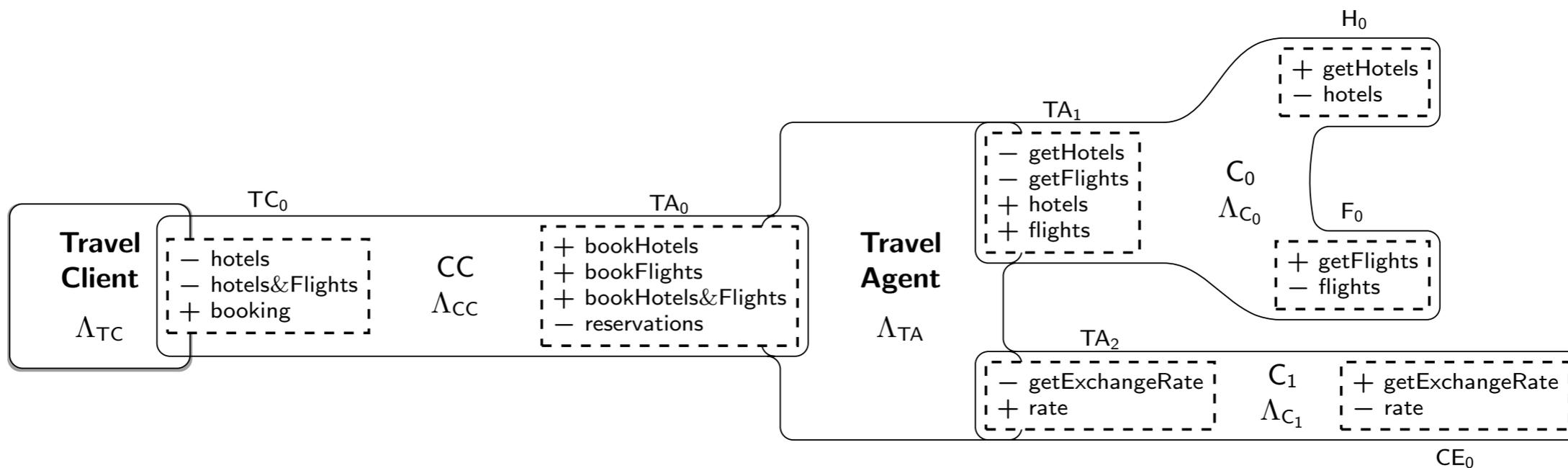
# Execution of activities



hotelsj  
bookHotelsj → (q1, q0, q1) ..... (q1, q0, q9) reservations!  
booking! → (q1, q3, q0)

*Informally speaking*

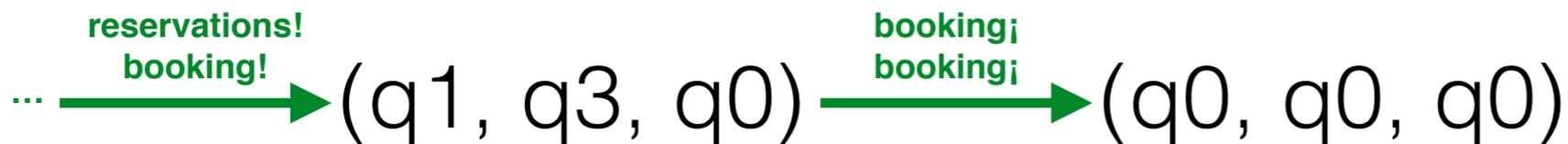
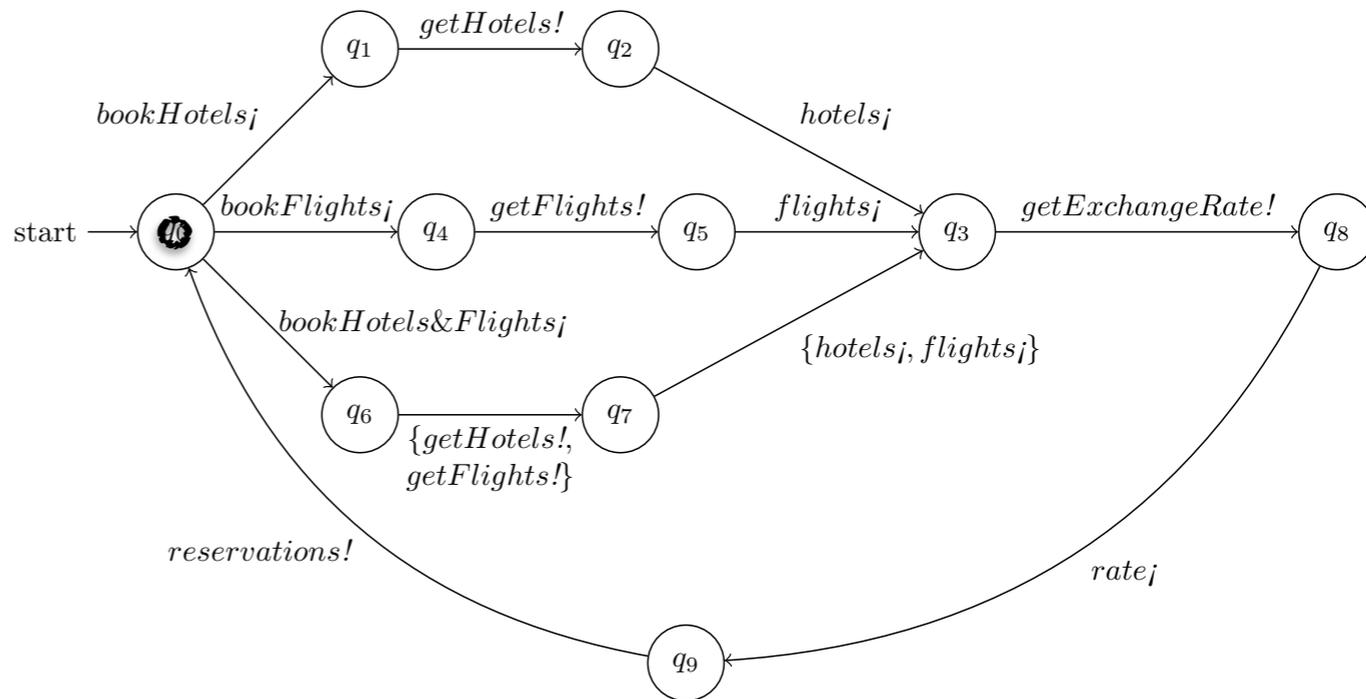
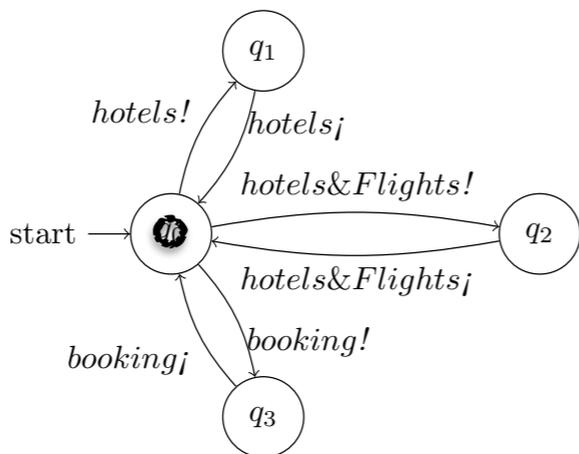
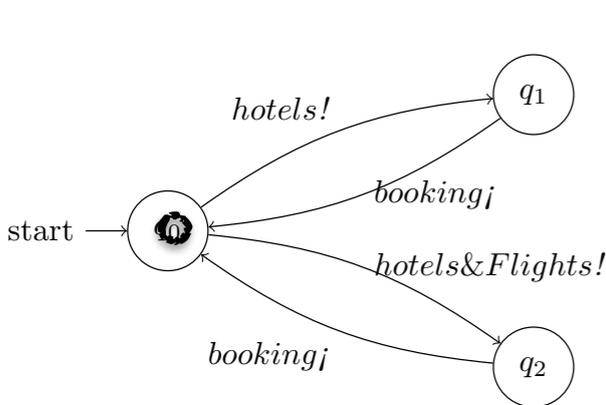
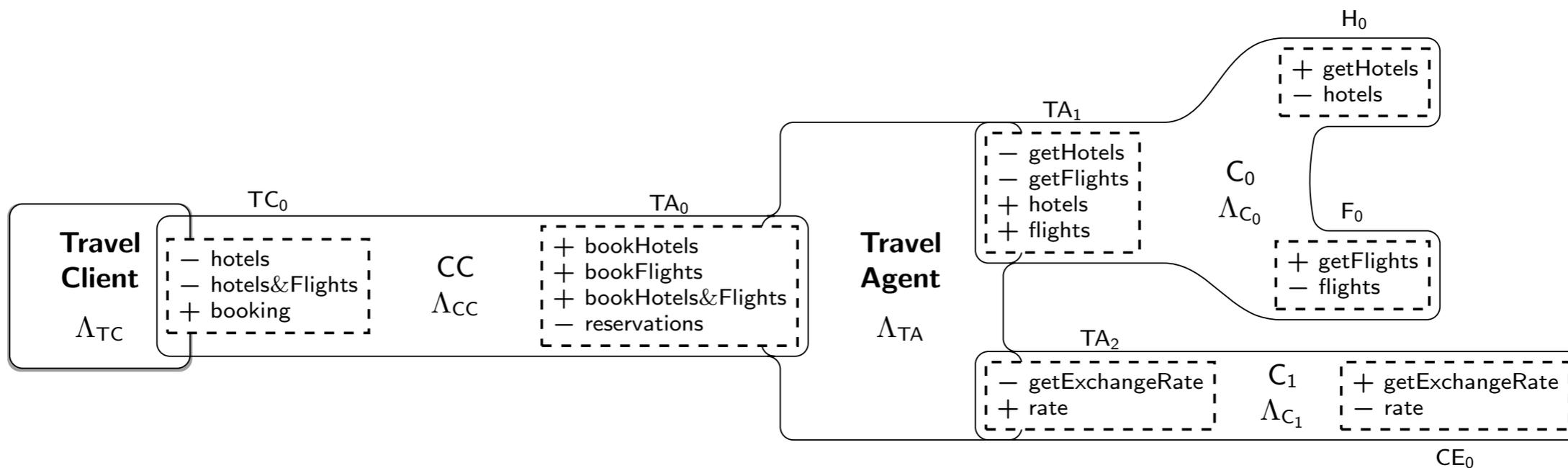
# Execution of activities



... **reservations!**  
**booking!** → (q1, q3, q0)

*Informally speaking*

# Execution of activities



Formally speaking

# Execution of activities

Transition system

- \* A **repository** is a family  $\{A_i\}_{i \in I}$  such that, for all  $i$  in  $I$ ,  $A_i$  is a service
- \* A **state** of an activity  $A$  is  $\{q_i\}_{i \in PUC}$ , a family of states, one for each of the automaton of  $A$
- \* The **transition system** of an activity  $A$  in a repository  $Rep$  is a structure  $(S, \longrightarrow)$  where:
  - $S = \{ (A, q) \mid q \text{ is a state of } A \}$ , and
  - $(A, q) \longrightarrow (A', q')$  iff
    - $\xrightarrow{I} A = A'$  and  $q \xrightarrow{I} q'$  in  $A$ , or
    - $\xrightarrow[Rep]{I} A' = A + \prod_{\{m_j\}_{j \in J}} \{B_j\}_{j \in J}$ ,  $\{B_j\}$  in  $Rep$  and  $q \xrightarrow{I} q'$  in  $A'$

Formally speaking

# Execution of activities

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$\xrightarrow[Rep]{I} A' = A + \underset{\{m_j\}_{j \in J}}{\{B_j\}_{j \in J}}$ ,  $\{B_j\}$  in  $Rep$  and  $q \xrightarrow{I} q'$  in  $A'$

Formally  
speaking



# Execution of activities

Binding of services

\* If  $A$  is an activity with a requires point  $r$  and  $A'$  is a service with a provides point  $p$ , and  $m: M_r \rightarrow M_p$  a polarity preserving injective function then,

$A + A'$  is the activity resulting from glueing the requires point  $r$  of  $A$  with the provides point  $p$  of  $A'$  (preserving the language of the provides point)

\*  $+$  extends to finite sets point wise and is denoted as:

$$A' + \left\{ \begin{array}{l} B_j \\ m_j \end{array} \right\}_{j \text{ in } J}$$

Formally speaking

# Execution of activities

## Paths

\* An infinite sequence of states and transitions in the transition system of  $A$  in a repository  $\text{Rep}$   $[(A_0, q_0), \longrightarrow_0, (A_1, q_1), \longrightarrow_1, \dots, (A_i, q_i), \longrightarrow_i, \dots]$  is said to be a **path** iff

for all  $0 \leq i < j$ ,  $\longrightarrow_i = \xrightarrow[\text{Rep}']{I'}$ ,  $\longrightarrow_j = \xrightarrow[\text{Rep}''']{I''}$  with  $\text{Rep}'$  in  $\text{Rep}$ ,  $\text{Rep}'''$  in  $\text{Rep}$  and  $A_{i+1} = A_i + \sum_{j \in J} \{B_j\}_{j \in J} \text{ such } \{m_j\}_{j \in J}$

there is no  $i < k < j$  such that  $\longrightarrow_k = \xrightarrow[\text{Rep}''']{I'''}$  with  $\text{Rep}'''$  in  $\text{Rep}$  then,  $\text{Rep}'' = \text{Rep}' / \{B_j\}_{j \in J}$

Formally  
speaking

# Execution of activities

## Traces

- \* A path in the transition system of  $A$  in a repository  $\text{Rep}$   $[(A_0, q_0), \longrightarrow_0, (A_1, q_1), \longrightarrow_1, \dots, (A_i, q_i), \longrightarrow_i, \dots]$  is said to be a **trace** iff
- there exists  $0 \leq i$ ,  $\longrightarrow_i = \xrightarrow[\text{Rep}']{I'}$  with  $\text{Rep}'$  in  $\text{Rep}$  such that there is no  $k < i$  such that  $\longrightarrow_k = \xrightarrow[\text{Rep}'']{I''}$  with  $\text{Rep}''$  in  $\text{Rep}$  and  $\text{Rep}' = \text{Rep}$ , and
  - $A_0 = A$

- \* The set of all traces of a transition systems  $S = (S, \longrightarrow)$  is denoted as  $O_S$

# Linear Temporal Logics and executions of activities

Linear Temporal Logics formulae  
(defined as usual)

Let  $\mathcal{V}$  be a set of proposition symbols, then the set of LTL formulae on  $\mathcal{V}$ , denoted as  $LTLForm(\mathcal{V})$ , is the smallest set  $S$  such that:

- $\mathcal{V} \subseteq S$ , and
- if  $\alpha, \beta \in S$ , then  $\{\neg\alpha, \alpha \vee \beta, \mathbf{X}\alpha, \alpha \mathbf{U}\beta\} \subseteq S$ .

# Linear Temporal Logics and executions of activities

Let  $\alpha$  be an activity and  $Rep$  a repository, then if  $\mathcal{S} = \langle S, \longrightarrow \rangle$  is the transition system for  $\alpha$  and  $Rep$  then let  $\pi = [(\alpha_0, q_0), \longrightarrow_0, (\alpha_1, q_1), \longrightarrow_1, \dots]$  a path for  $\mathcal{S}$ . Let  $\mathcal{V}$  be the set of actions in the signature of the  $Rep$  or in  $\alpha$ ,  $\phi, \psi \in LTLForm(\mathcal{V})$ ,  $a \in \mathcal{V}$  and  $v \subseteq \mathcal{V}$  then:

- $\pi, v \models \mathbf{true}$ ,
- $\pi, v \models a$  iff  $[a] \in [v]$ ,
- $\pi, v \models \neg\phi$  iff  $\pi, v \not\models \phi$ ,
- $\pi, v \models \phi \vee \psi$  if  $\pi, v \models \phi$  or  $\pi, v \models \psi$ ,
- $\pi, v \models \mathbf{X}\phi$  iff  $\pi_{[1]}, v_1 \models \phi$ , and
- $\pi, v \models \phi \mathbf{U}\psi$  iff there exists  $0 \leq i$  such that  $\pi_{[i]}, v_i \models \psi$  and for all  $j$ ,  $0 \leq j < i$ ,  $\pi_{[j]}, v_j \models \phi$

where  $v_k = \bigcup_{\iota \in \iota_{k-1}} \iota$ .

# Linear Temporal Logics and executions of activities

Let  $\alpha$  be an activity and  $Rep$  a repository, then if  $\mathcal{S} = \langle S, \longrightarrow \rangle$  is the transition system for  $\alpha$  and  $Rep$  then let  $\pi = [(\alpha_0, q_0), \longrightarrow_0, (\alpha_1, q_1), \longrightarrow_1, \dots]$  a path for  $\mathcal{S}$ . Let  $\mathcal{V}$  be the set of actions in the signature of the  $Rep$  or in  $\alpha$ ,  $\phi, \psi \in LTLForm(\mathcal{V})$ ,  $a \in \mathcal{V}$  and  $v \subseteq \mathcal{V}$  then.

- $\pi, v \models \mathbf{true}$ ,
- $\pi, v \models a$  iff  $[a] \in [v]$ ,
- $\pi, v \models \neg\phi$  iff  $\pi, v \not\models \phi$ ,
- $\pi, v \models \phi \vee \psi$  if  $\pi, v \models \phi$  or  $\pi, v \models \psi$ ,
- $\pi, v \models \mathbf{X}\phi$  iff  $\pi_{[1]}, v_1 \models \phi$ , and
- $\pi, v \models \phi \mathbf{U}\psi$  iff there exists  $0 \leq i$  such that  $\pi_{[i]}, v_i \models \psi$  and for all  $j$ ,  $0 \leq j < i$ ,  $\pi_{[j]}, v_j \models \phi$

Valuations are sets of labels, those that took the system from one state to another

where  $v_k = \bigcup_{\iota \in \iota_{k-1}} \iota$ .

# Linear Temporal Logics and executions of activities

Let  $\alpha$  be an activity and  $Rep$  a repository, then if  $\mathcal{S} = \langle S, \longrightarrow \rangle$  is the transition system for  $\alpha$  and  $Rep$  then let  $\pi = [(\alpha_0, q_0), \longrightarrow_0, (\alpha_1, q_1), \longrightarrow_1, \dots]$  a path for  $\mathcal{S}$ . Let  $\mathcal{V}$  be the set of actions in the signature of the  $Rep$  or in  $\alpha$ ,  $\phi, \psi \in LTLForm(\mathcal{V})$ ,  $a \in \mathcal{V}$  and  $v \subseteq \mathcal{V}$  then:

- $\pi, v \models \mathbf{true}$ ,
- $\pi, v \models a$  iff  $[a] \in [v]$ ,
- $\pi, v \models \neg\phi$  iff  $\pi, v \not\models \phi$ ,
- $\pi, v \models \phi \vee \psi$  if  $\pi, v \models \phi$  or  $\pi, v \models \psi$ ,
- $\pi, v \models \mathbf{X}\phi$  iff  $\pi_{[1]}, v_1 \models \phi$ , and
- $\pi, v \models \phi \mathbf{U}\psi$  iff there exists  $0 \leq i$  such that  $\pi_{[i]}, v_i \models \psi$  and for all  $j$ ,  $0 \leq j < i$ ,  $\pi_{[j]}, v_j \models \phi$

Propositions are the labels of the transitions of the automata

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# Linear Temporal Logics and executions of activities

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- $\pi, v \models \mathbf{true}$ ,
- $\pi, v \models a$  iff  $[a] \in [v]$ ,  $\Rightarrow$  Propositions are partitioned in classes of equivalence using the mappings of labels in the communication channels
- $\pi, v \models \neg\phi$  iff  $\pi, v \not\models \phi$ ,
- $\pi, v \models \phi \vee \psi$  if  $\pi, v \models \phi$  or  $\pi, v \models \psi$ ,
- $\pi, v \models \mathbf{X}\phi$  iff  $\pi_{[1]}, v_1 \models \phi$ , and
- $\pi, v \models \phi \mathbf{U} \psi$  iff there exists  $0 \leq i$  such that  $\pi_{[i]}, v_i \models \psi$  and for all  $j$ ,  $0 \leq j < i$ ,  $\pi_{[j]}, v_j \models \phi$

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# Linear Temporal Logics and executions of activities

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- As usual, the subindex denotes the suffix operator on paths

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# Linear Temporal Logics and executions of activities

Let  $\alpha$  be an activity and  $Rep$  a repository, then if  $\mathcal{S} = \langle S, \longrightarrow \rangle$  is the transition system for  $\alpha$  and  $Rep$  then let  $\pi = [(\alpha_0, q_0), \longrightarrow_0, (\alpha_1, q_1), \longrightarrow_1, \dots]$  a path for  $\mathcal{S}$ . Let  $\mathcal{V}$  be the set of actions in the signature of the  $Rep$  or in  $\alpha$ ,  $\phi, \psi \in LTLForm(\mathcal{V})$ ,  $a \in \mathcal{V}$  and  $v \subseteq \mathcal{V}$  then:

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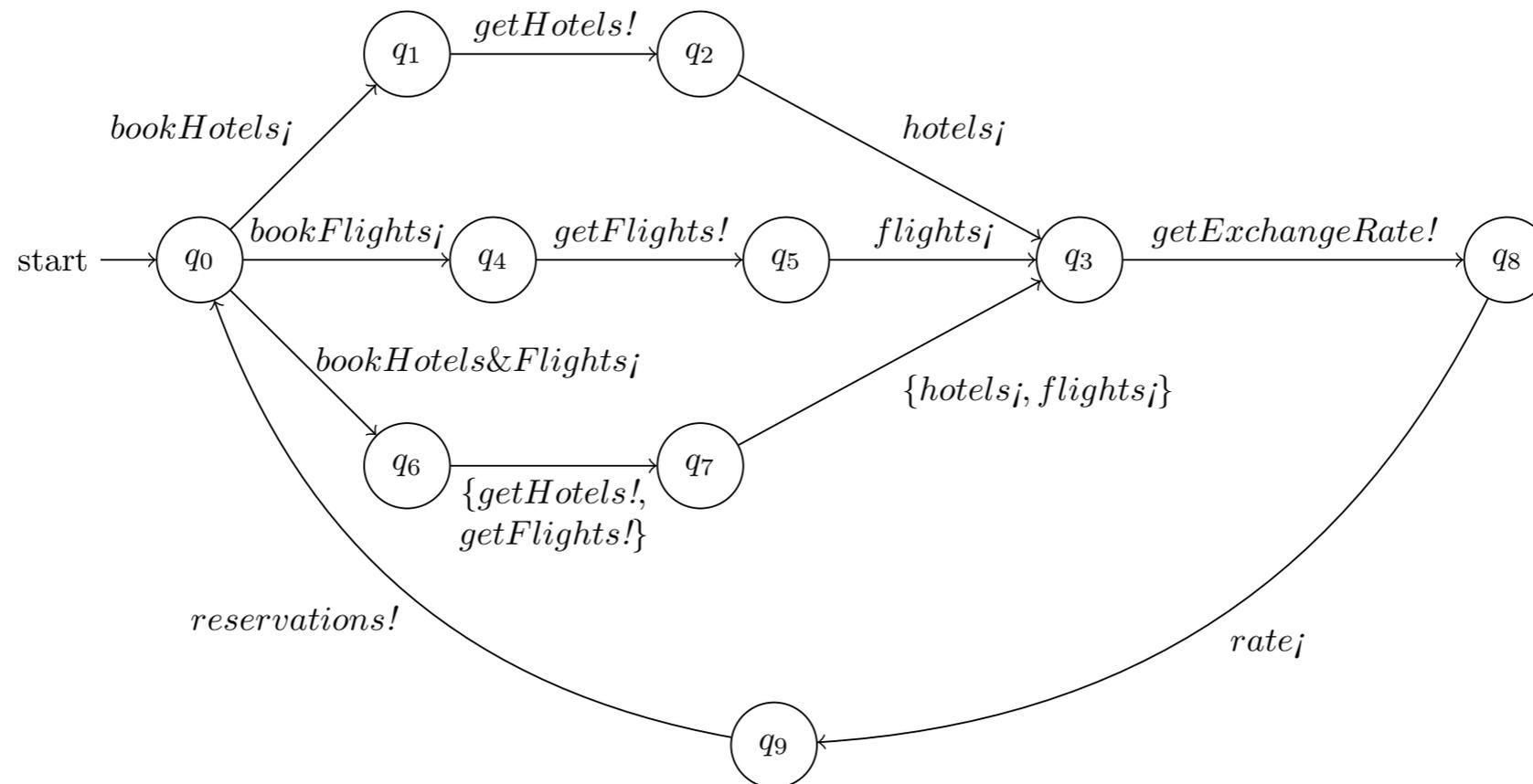
where  $v_k = \bigcup_{\iota \in \iota_{k-1}} \iota$ .

# Linear Temporal Logics and executions of activities

Some examples of properties

Every execution of **TravelClient** requires the execution of **CurrenciesAgent**:

$$\text{For all } \pi \in O_S, \pi \models \diamond \left( \bigvee_{a \in A_{M_{\text{CurrenciesAgent}}}} a \right)$$

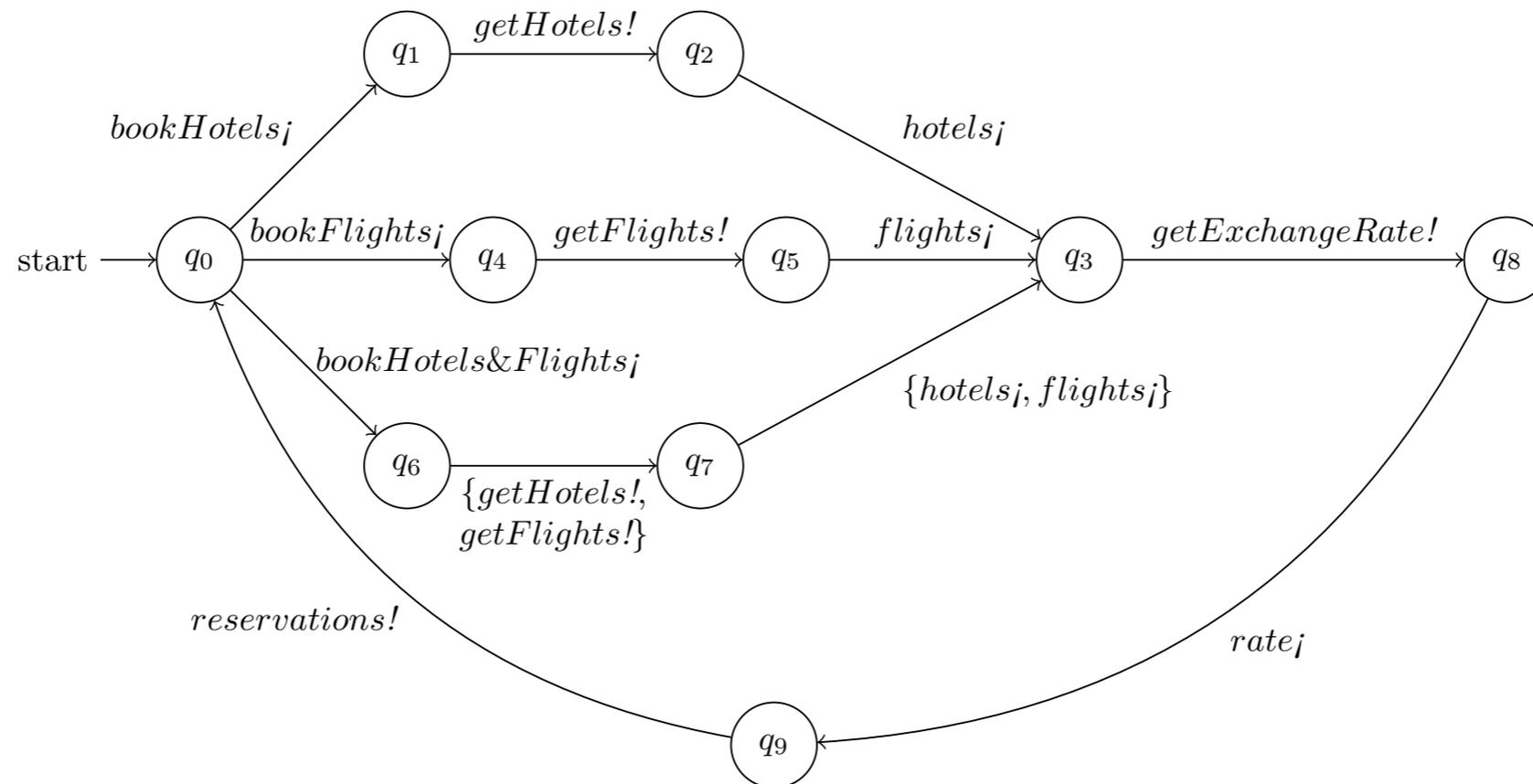


# Linear Temporal Logics and executions of activities

## Some examples of properties

There exists an execution of **TravelClient** that does not requires the execution of **FlightsAgent**:

There exists  $\pi \in O_S$ ,  $\pi \models \diamond \left( \neg \bigvee_{a \in A_{M_{\text{FlightsAgent}}}} a \right)$

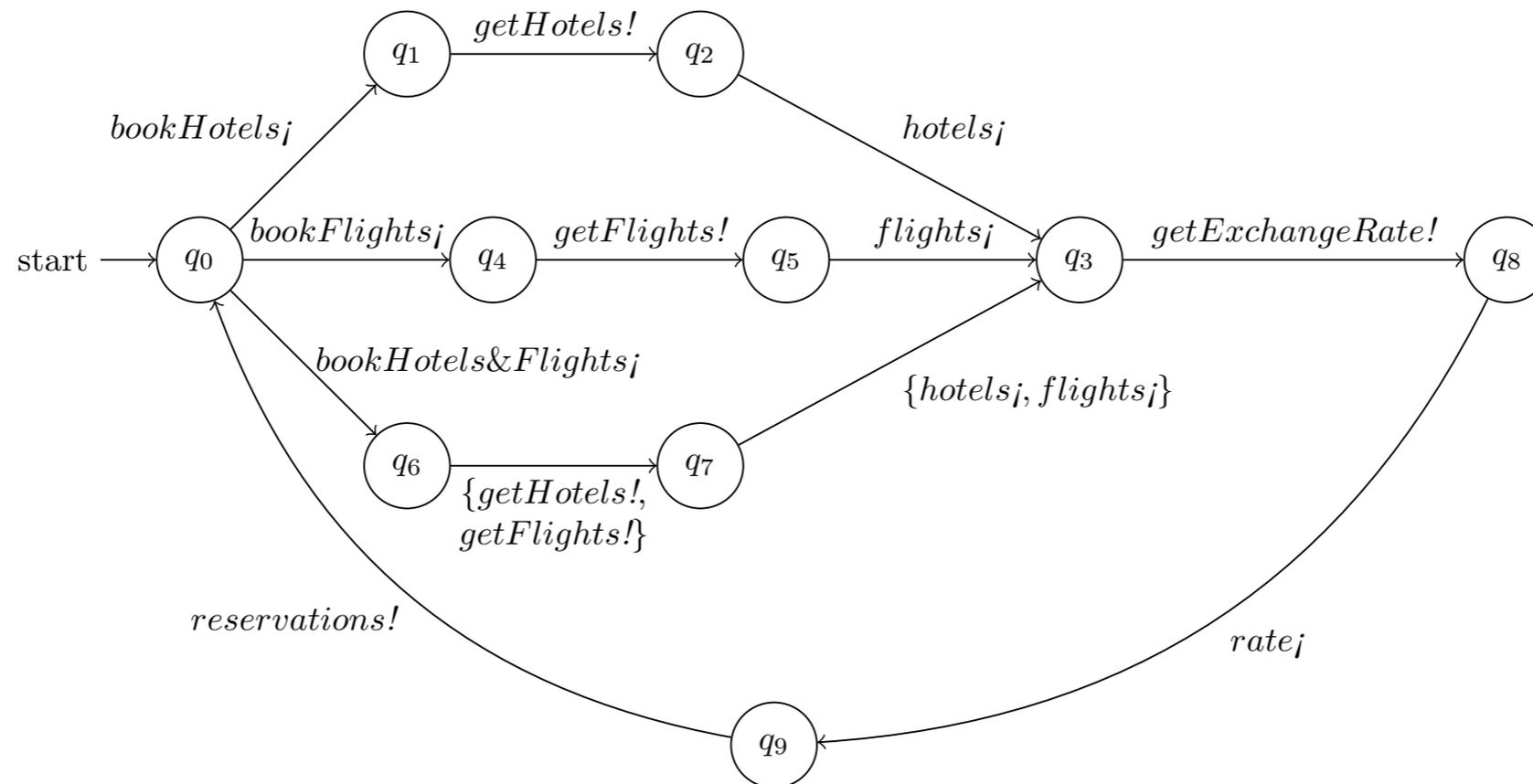


# Linear Temporal Logics and executions of activities

## Some examples of properties

Every execution of **TravelClient**, in the future, will receive an exchange rate and in the next state a reservation will issued:

For all  $\pi \in O_S$ ,  $\pi \models \square (hotels! \implies \diamond (rate! \wedge \mathbf{X}reservation!))$

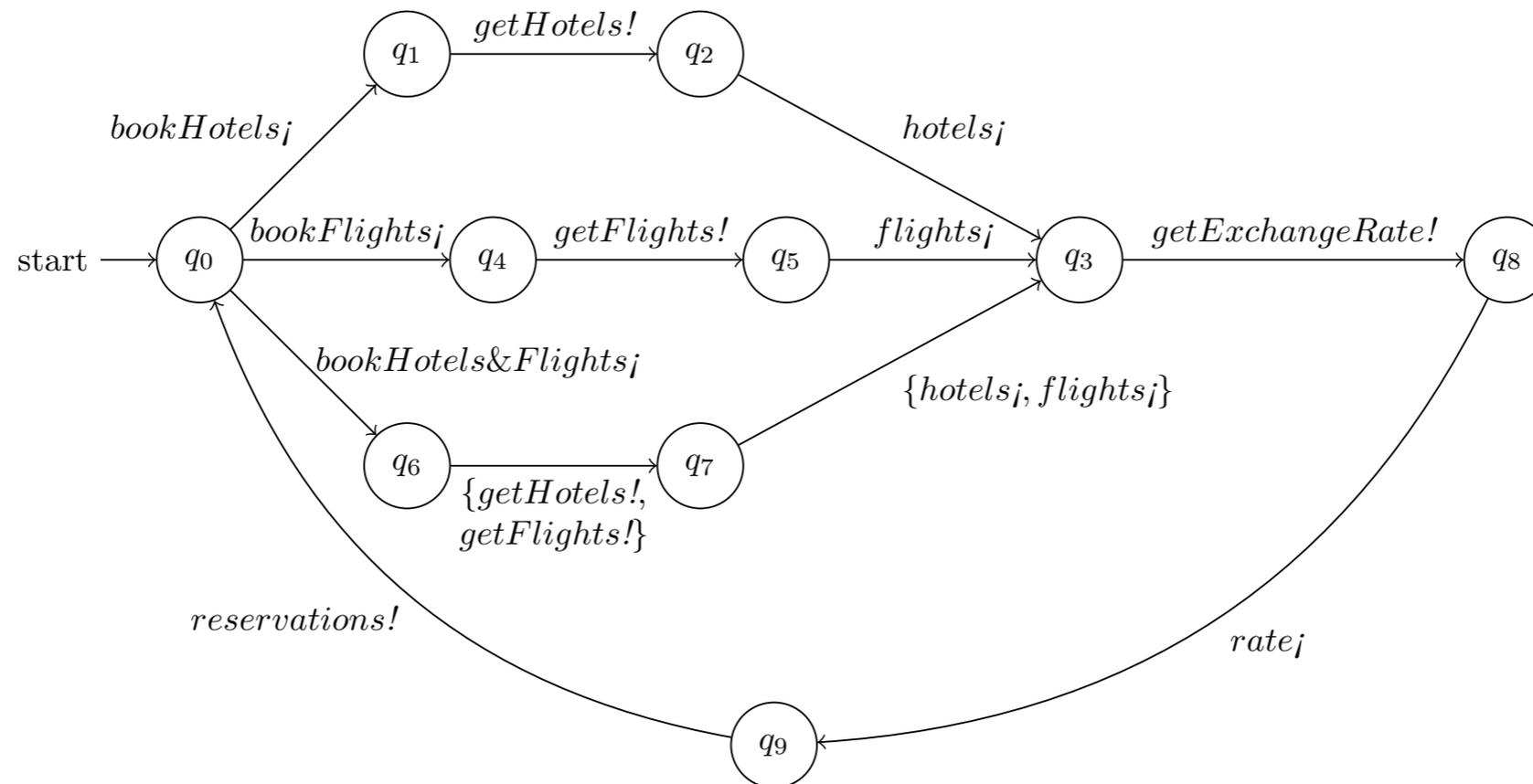


# Linear Temporal Logics and executions of activities

## Some examples of properties

In every execution of **TravelClient**, if we place an order for accommodation and flight, we will receive two reservations:

For all  $\pi \in O_S$ ,  $\pi \models \square (hotels \& Flights! \implies \diamond (reservation! \wedge ((\neg hotels! \wedge \neg hotels \& Flights!) \mathbf{X} reservation!)))$



# Outro (Conclusions)

- \* We introduced an execution model for ARNs by providing an operational semantics based on a transition system
- \* We defined a linear temporal satisfaction relation between traces of the transition system and LTL formulae

# Outro (Further work)

- \* Definition/implementation of a model-checking technique for analysing properties of ARNs using this semantics [**Fiadeiro, Ţuţu, Vissani, me**]
- \* Explore the incidence of different kinds of contracts as the means for formalising the negotiation of the Service Level Agreement (SLA)
- \* Implementation of a middleware capable of providing support for formal establishing of SLA as a part of the process of binding

# The Encore

? & !

# Some other projects

- \* Use of global types and local graphs as a tool for negotiating the protocol to be used on the interfaces of ARN **[Tuosto, Vissani, me]**
- \* Analysis of a trace-based semantics for choreographies and global graphs **[Melgratti, Barbeito, me]**
- \* The formulation of a canonical proof-theoretic approach to model theory **[Maibaum, Chocrón, me]** and its extension to substructural logics **[Kurz, Maibaum, Chocrón, me]**